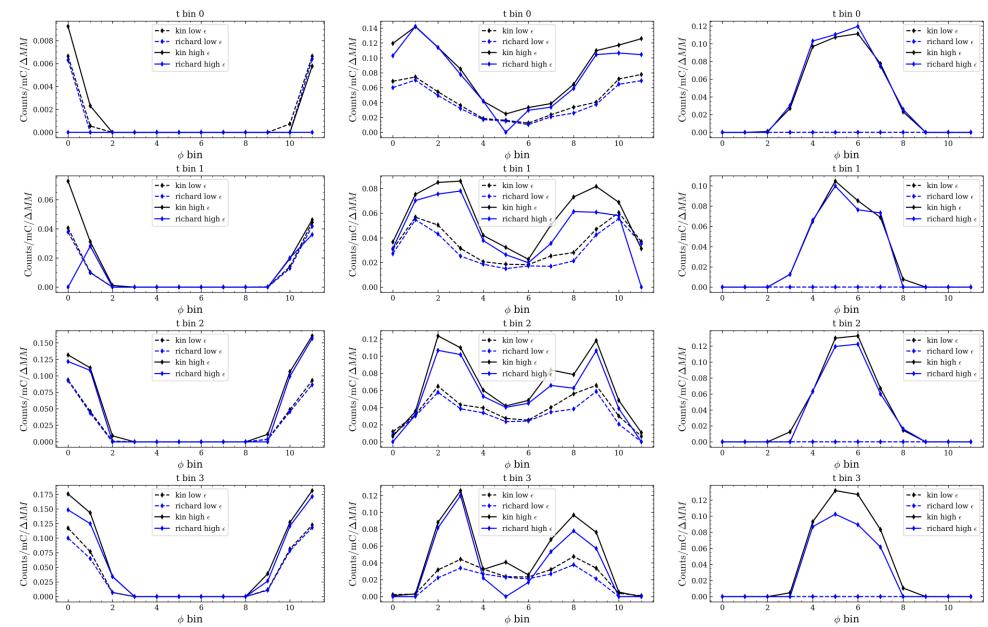
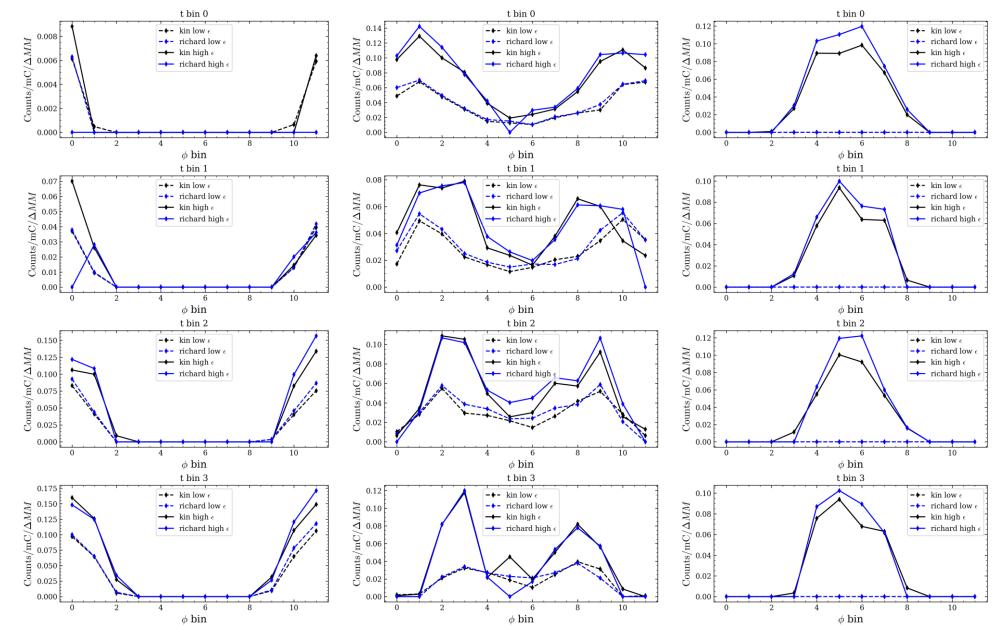
- Black = Kin, Blue = Richard
- Yaxis = Counts/mC

• Black: before subtraction



- Black = Kin, Blue = Richard
- Yaxis = Counts/mC

Black: after pion subtraction

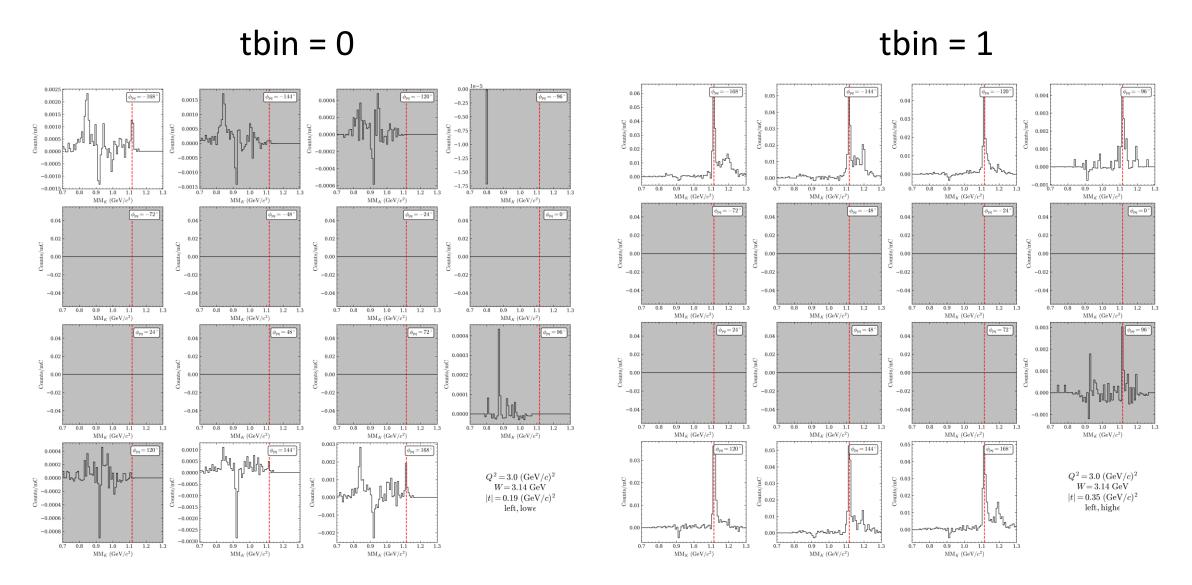


result for Q^2=3.0, W=3.14 setting

- Only included pion subtraction for this report
- ✓ Yield checking
- For each SHMS settings:
 - Criteria for Good bins :
 - Yield > 0 & yield_err > 0 & all finite
 - For each kinematic average :
 - Finite value and uncertainty (can be –ve after subtraction)
- ✓ Rerun simc with vertex variable defined
- ✓ Use vertex theta, phi, t for reweighting
- ✓ t phi bins are cut on the lab frame

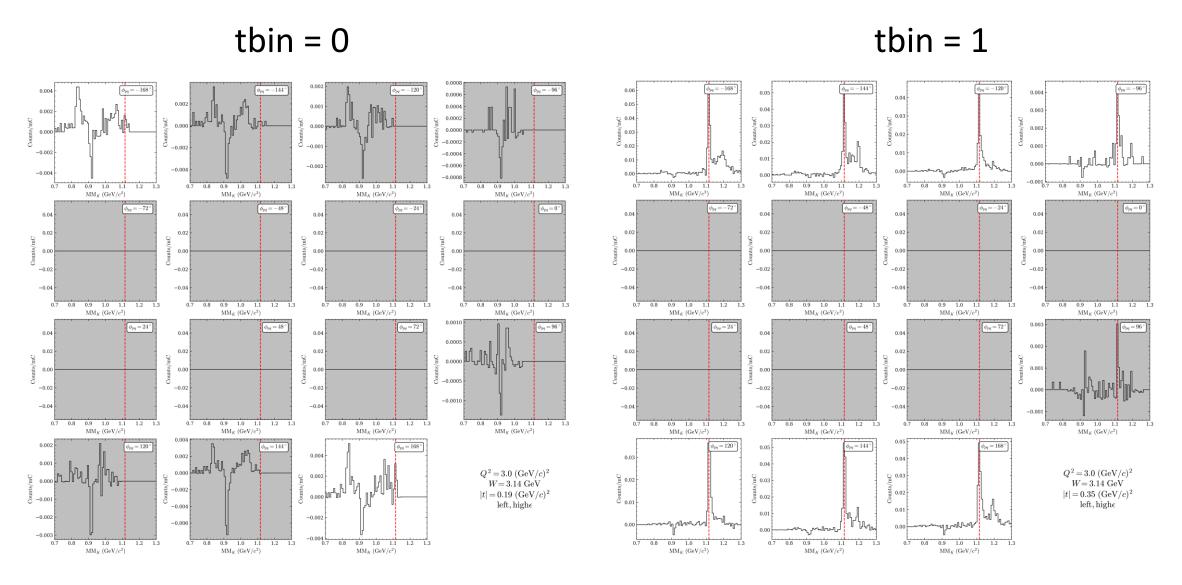
```
"t_range_lowe": [
    0.1975.
    0.4225
"t_range_highe": [
    0.1825,
    0.5325
"t_range_combined": [
    0.19,
    0.43
"phi_range": [
    -180,
    180
"ntbins": 4,
"nphibins": 15,
"phi_min_coverage": 0.4
```

Check yields after subtraction: Left, Lowe



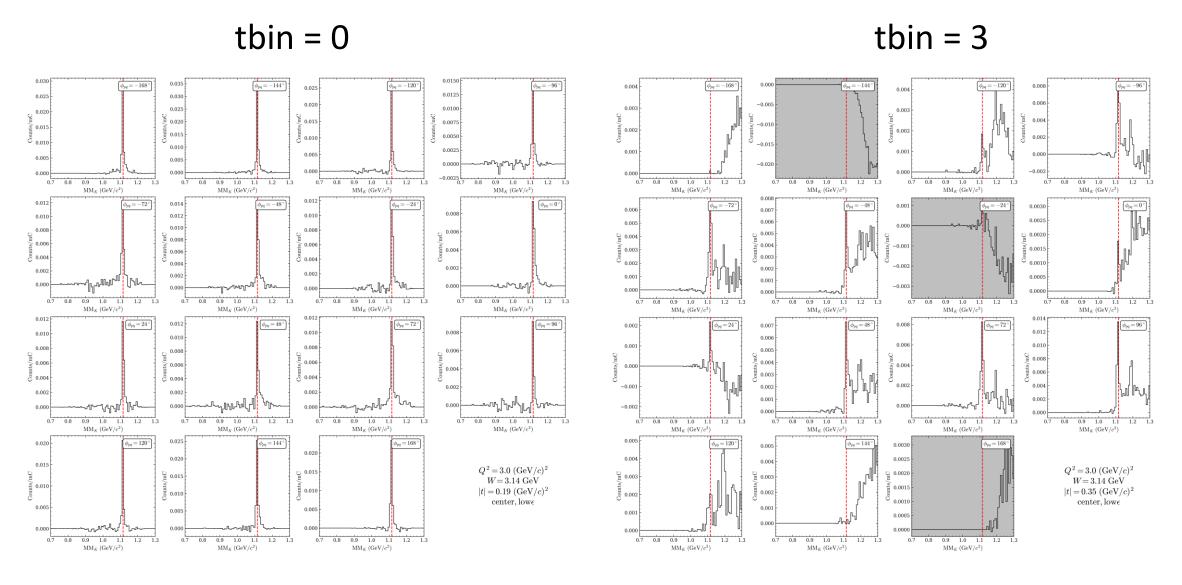
bins in small |-t| has very low count /mC due to low statistics + pion subtraction (100%)

Check yields after subtraction: Left, Highe



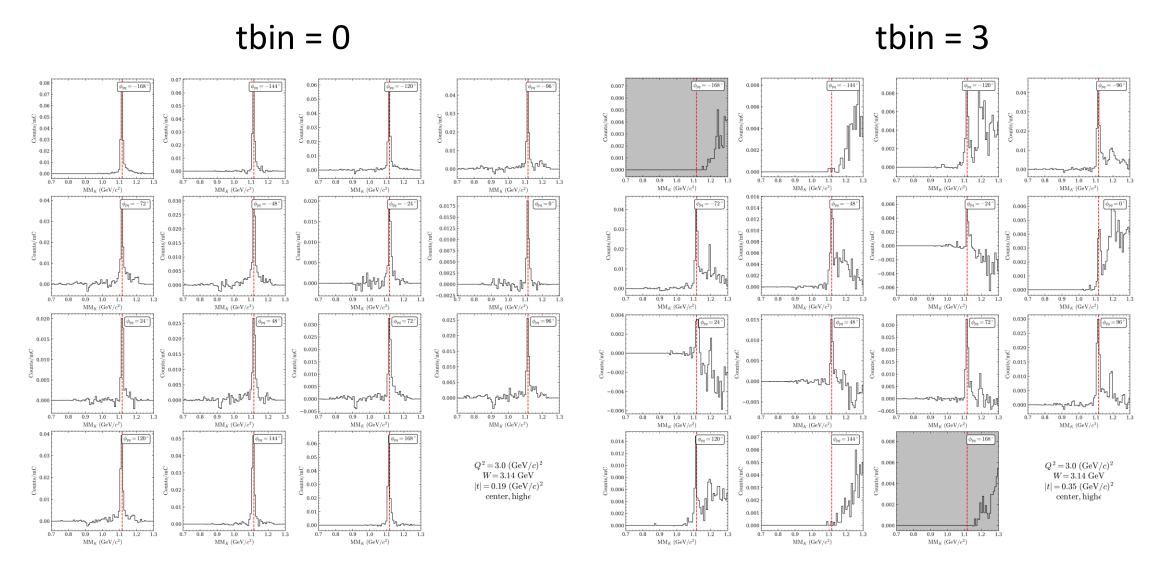
similar

Check yields after subtraction: Center, Lowe



• Bad bins are removed correctly.

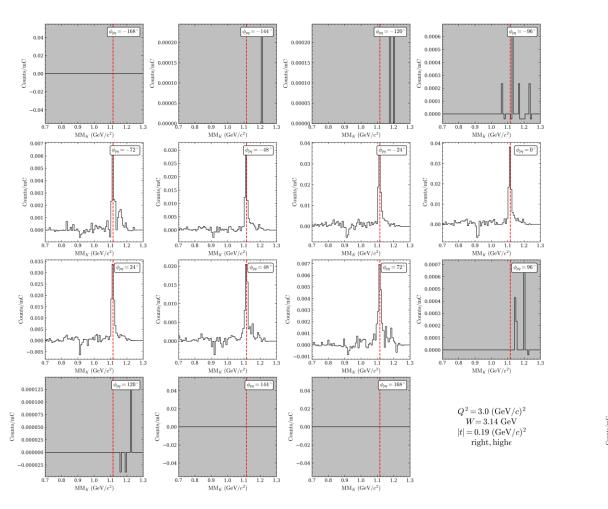
Check yields after subtraction: Center, Highe

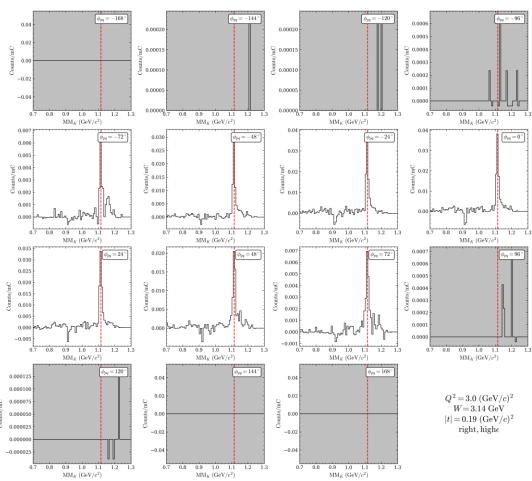


Bad bins are removed correctly.

Check yields after subtraction: Right, Highe

tbin = 0 tbin = 3





• Bad bins are removed correctly.

Closure test

$$\sigma_L = \frac{p_1|t|}{(|t| + m_K^2)^2} \exp(-|p_2t|)$$

$$\sigma_T = \frac{p_5}{|t|^{p_6}} \exp(-|p_7t|)$$

$$\sigma_{LT} = \frac{p_9}{|t|}$$

$$\sigma_{TT} = \frac{p_{13}}{|t|^{p_{14}}} \exp(-|p_{15}t|)$$

$$w = \frac{1.0}{(W^2 - m_{tar}^2)^{0.85W^2 - 5.97W + 12.68}}$$

3.78851999999999754e+02

-2.53318999999999831e+00

-5.27111999999999806e+00

1.85369999999999916e-08

perturb

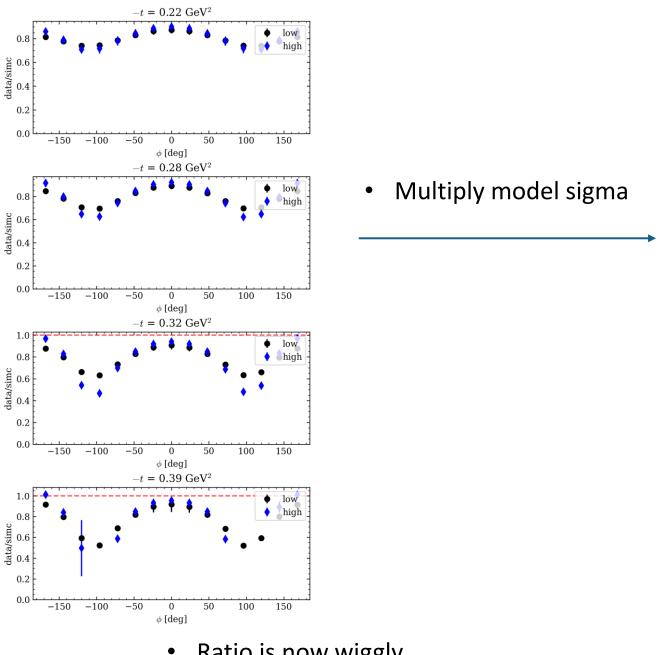
-2.377462091879763317e+00 -4.748849947137302047e-02 -4.478455940299158611e-02 4.873678215704996819e-01 1.819916434879238265e+00 6.729313876932965788e-02 -5.741779215654008173e-01 8.745898447428279709e-01 -1.095140052378928419e-01 -1.851928525868437703e+02 -1.150937029709412918e-01 3.788826865474663350e+02 -2.319964852248411979e+00 -5.338355135367695681e+00 -1.752341089439558020e-01

3.645723617386696258e+00

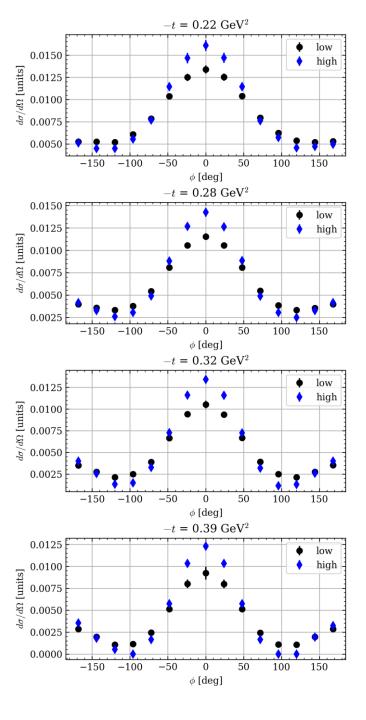
Run SIMC to get root file

Original functional form.

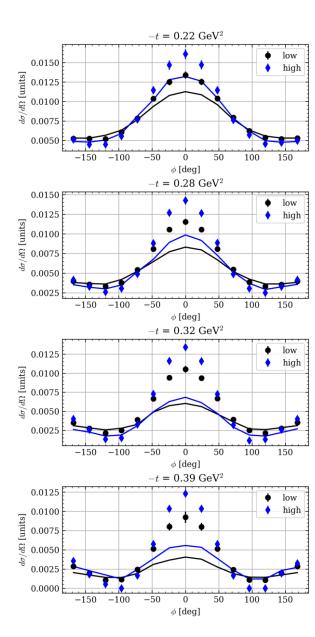
 Reweight to get some <u>pseudo</u> data yield



Ratio is now wiggly



Rosenbluth fit



$$2\pi \frac{d\sigma}{dtd\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon + 1)} \frac{d\sigma_{LT}}{dt} \cos\phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

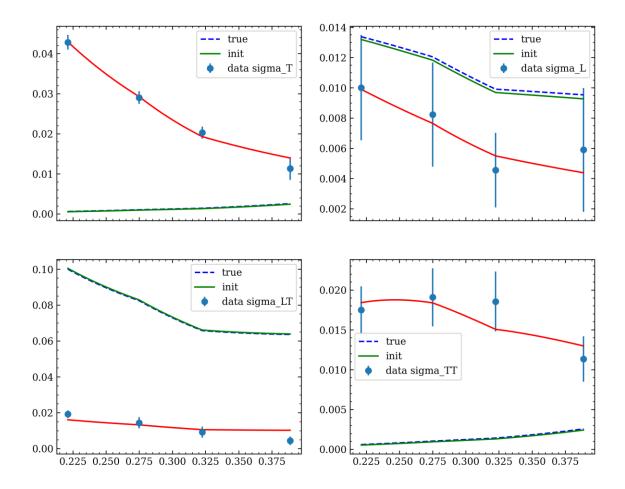
$$\sigma_{L0} = \frac{\epsilon_{low}\sigma_{high} - \epsilon_{high}\sigma_{low}}{\epsilon_{low} - \epsilon_{high}}$$

$$\sigma_{LT} = \rho_{LT}\sqrt{\sigma_L\sigma_T}$$

$$\sigma_{T0} = \frac{\sigma_{low} - \sigma_{high}}{\epsilon_{low} - \epsilon_{high}}$$

$$\sigma_{TT} = \rho_{TT}\sigma_T$$

How to make sure this step is physical?



 Rosenbluth fit does NOT always get the result with sigmaL, T >> sigma_LT,TT

- Points = fit from Rosenbluth Eqn
- Red = fitting $\sigma(|-t|)$ using the pts
- Blue dotted = true σ using the perturbed parameters

$$\sigma_L = \frac{p_1|t|}{(|t| + m_K^2)^2} \exp(-|p_2t|)$$

$$\sigma_T = \frac{p_5}{|t|^{p_6}} \exp(-|p_7t|)$$

$$\sigma_{LT} = \frac{p_9}{|t|}$$

$$\sigma_{TT} = \frac{p_{13}}{|t|^{p_{14}}} \exp(-|p_{15}t|)$$

$$w = \frac{1.0}{(W^2 - m_{tar}^2)^{0.85W^2 - 5.97W + 12.68}}$$