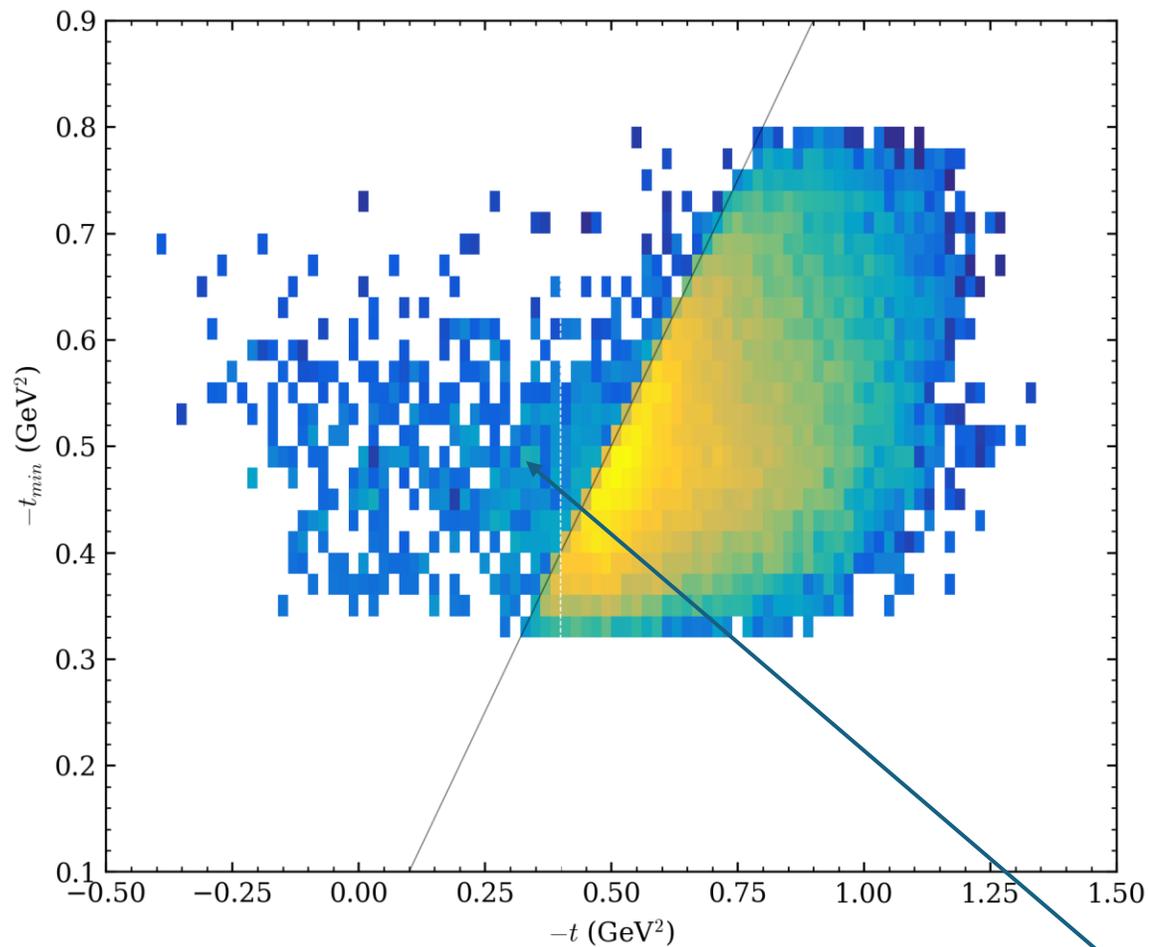
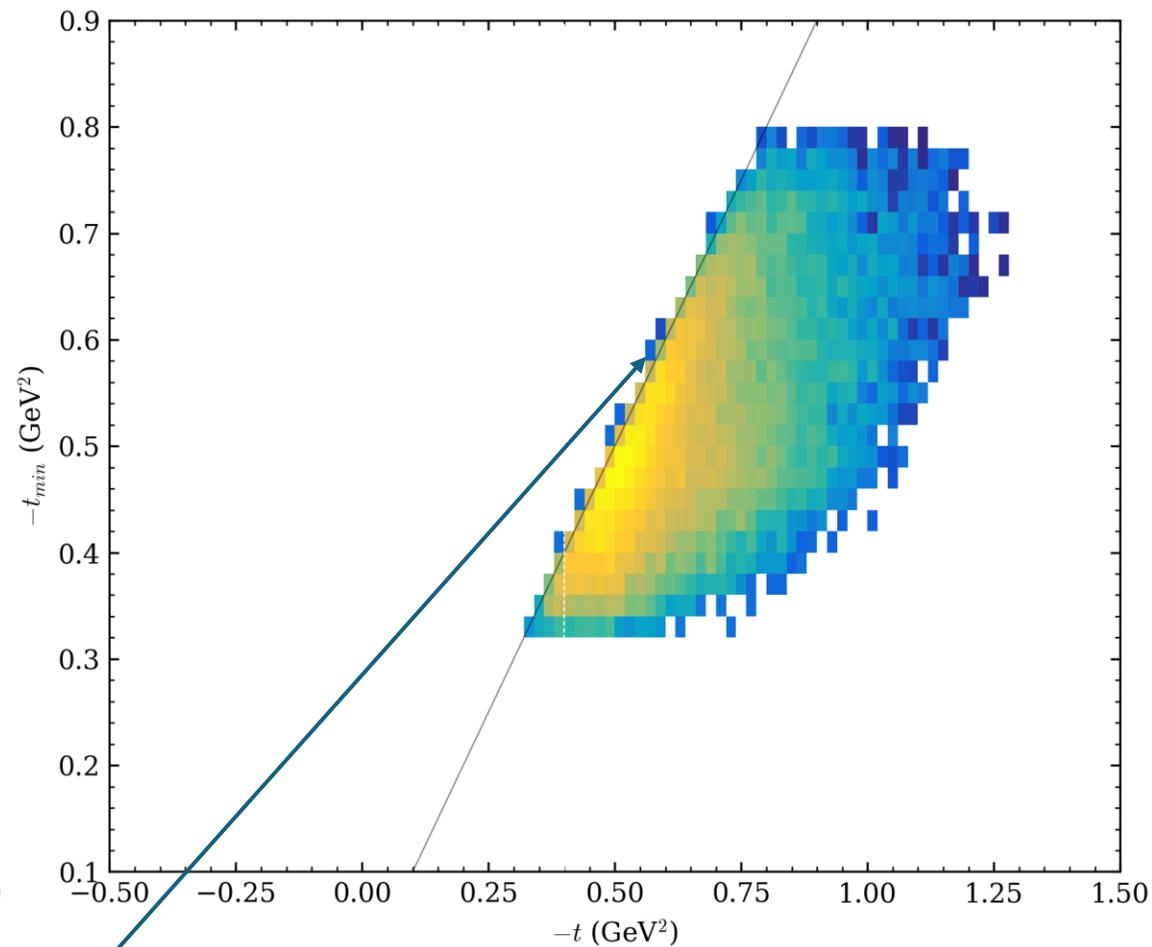


# SIMC Center High e ( $Q^2=4.4, W=2.74$ )

$$-t = -(p - q)^2$$
$$(-t)_{min} = (E_1^2 - E_3^2) - (\vec{p}_1 - \vec{p}_2)^2$$



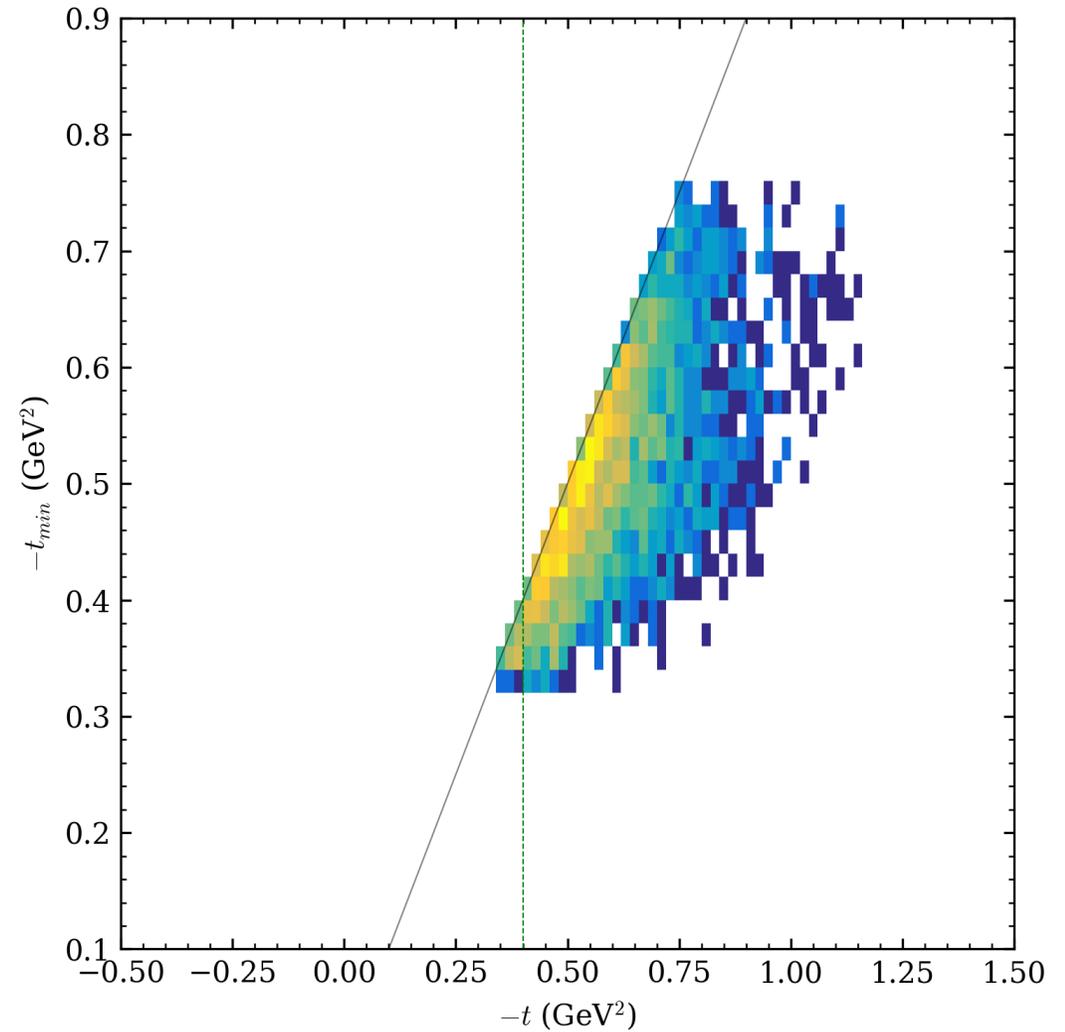
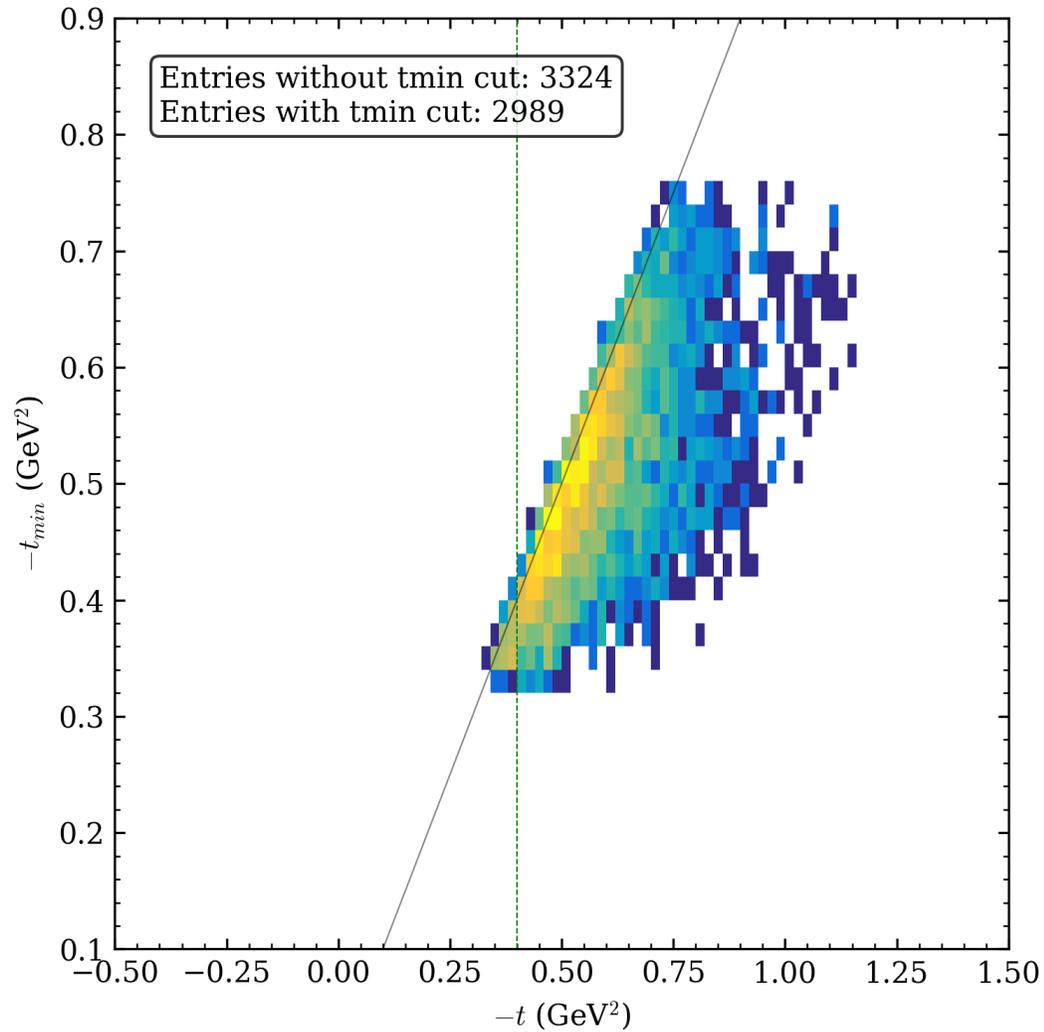
All cut except mm cut



All cuts

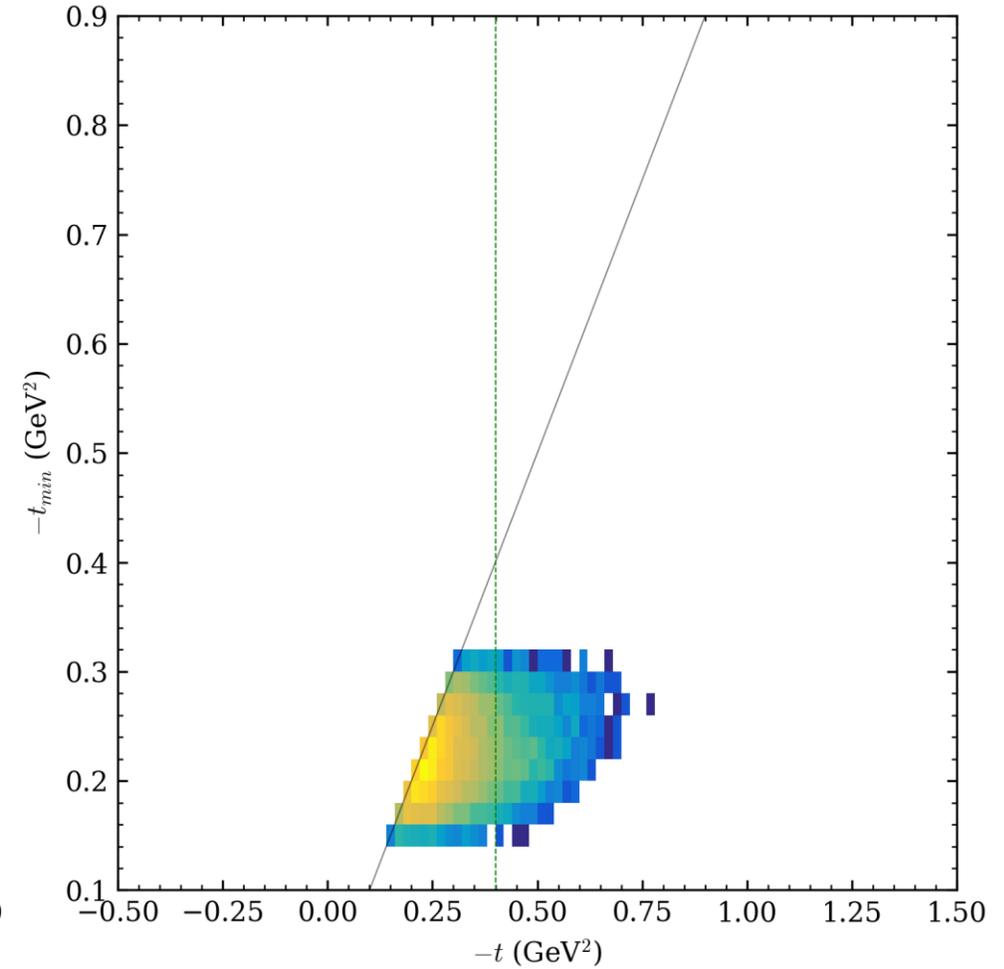
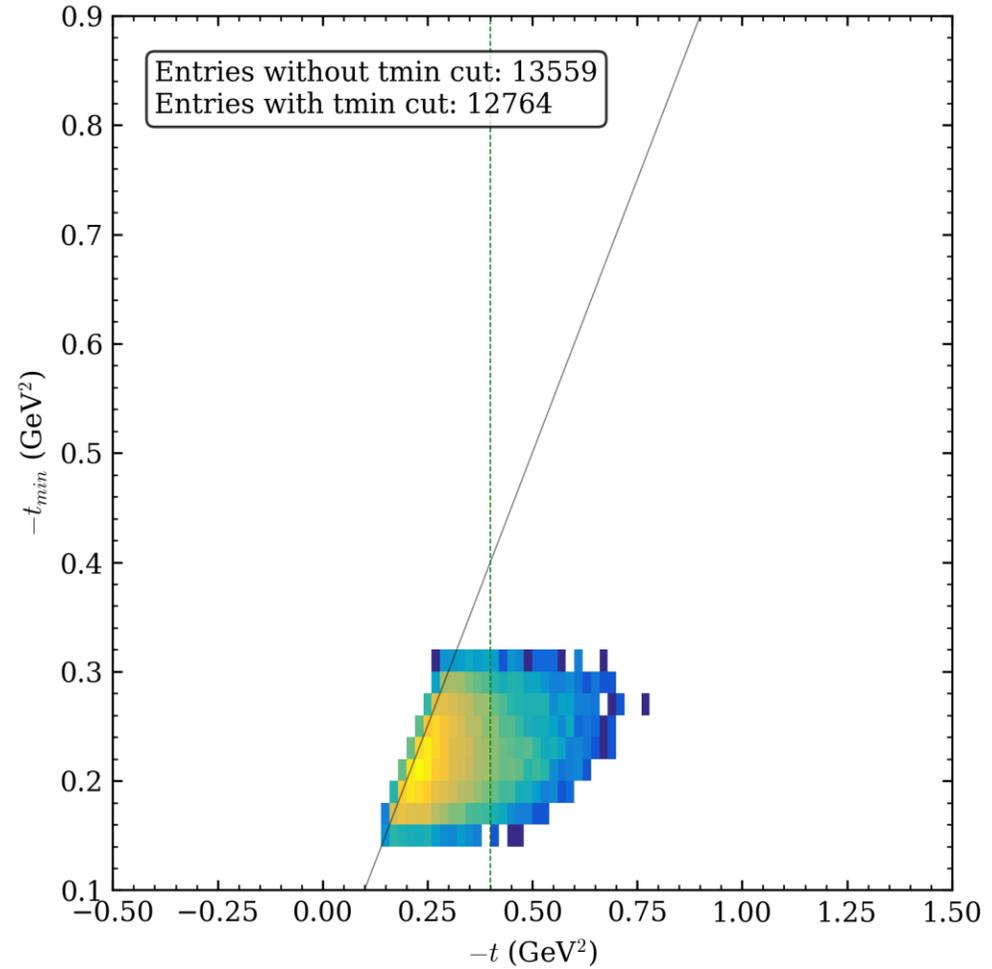
Bad

# Data Center High e ( $Q^2=4.4, W=2.74$ )



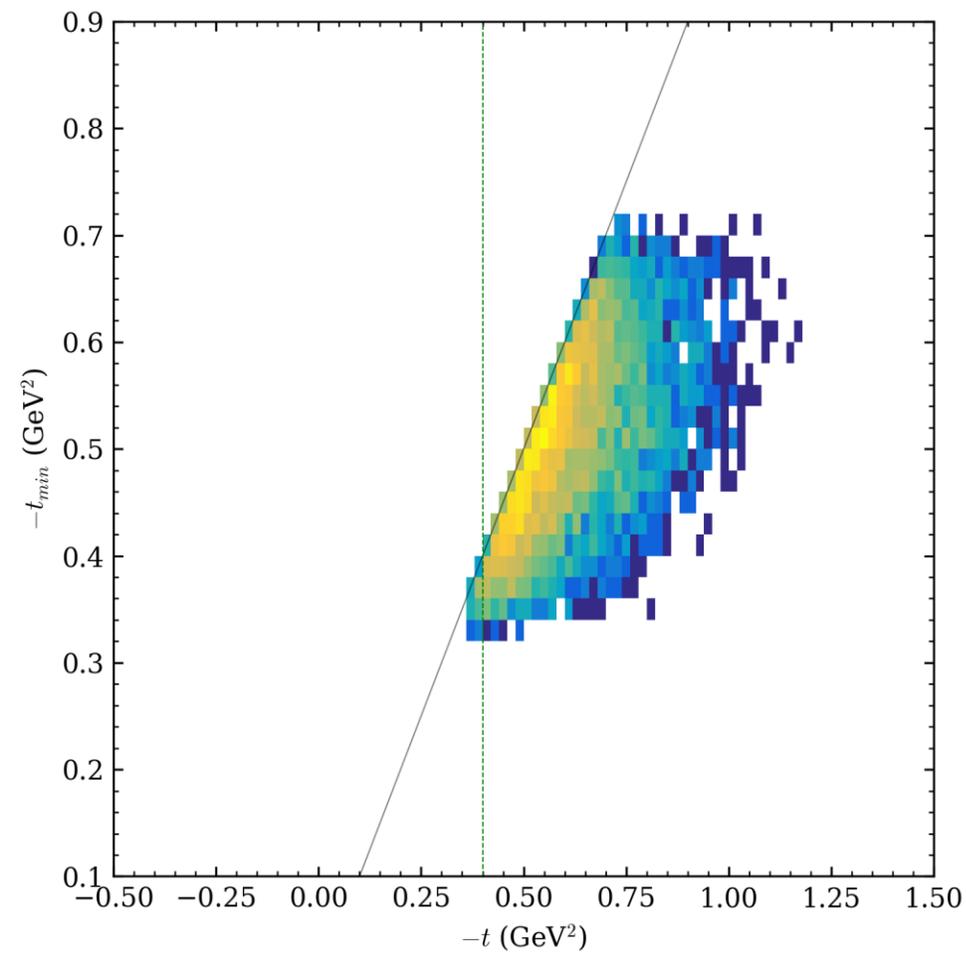
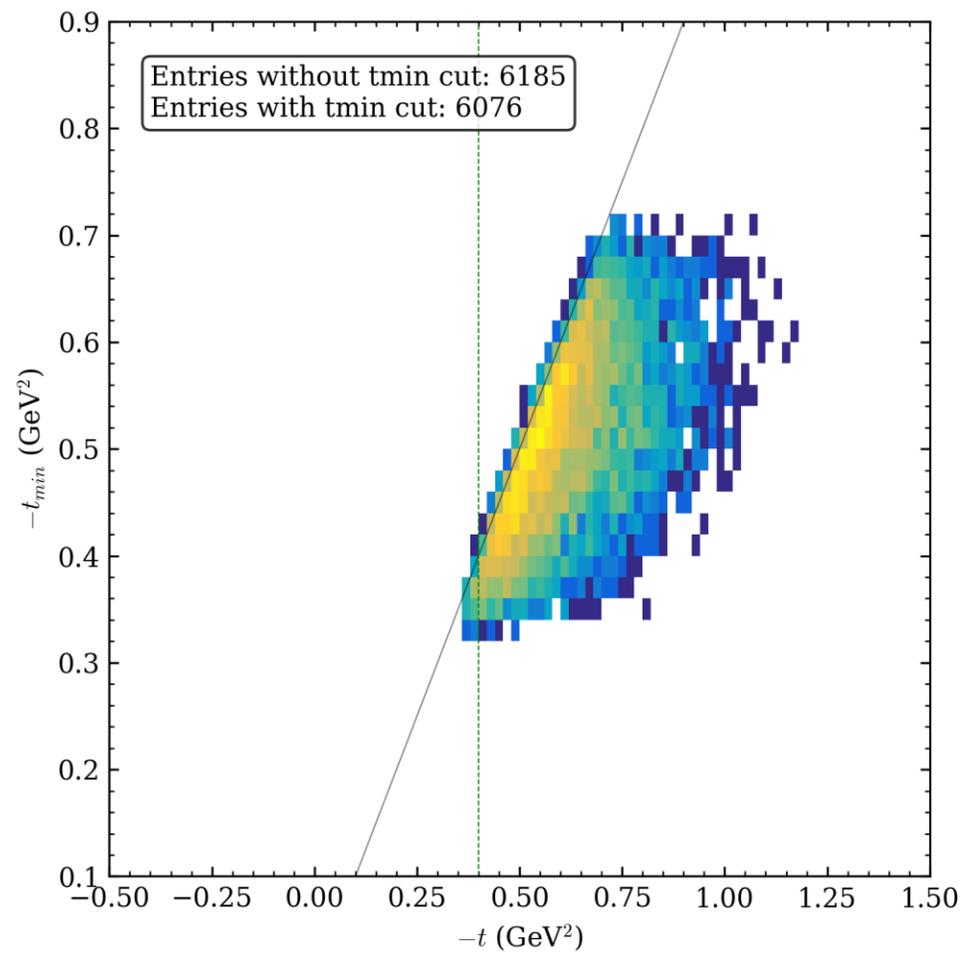
- About 10 % are bad

# Data Center High e ( $Q^2=3.0, W=3.14$ )

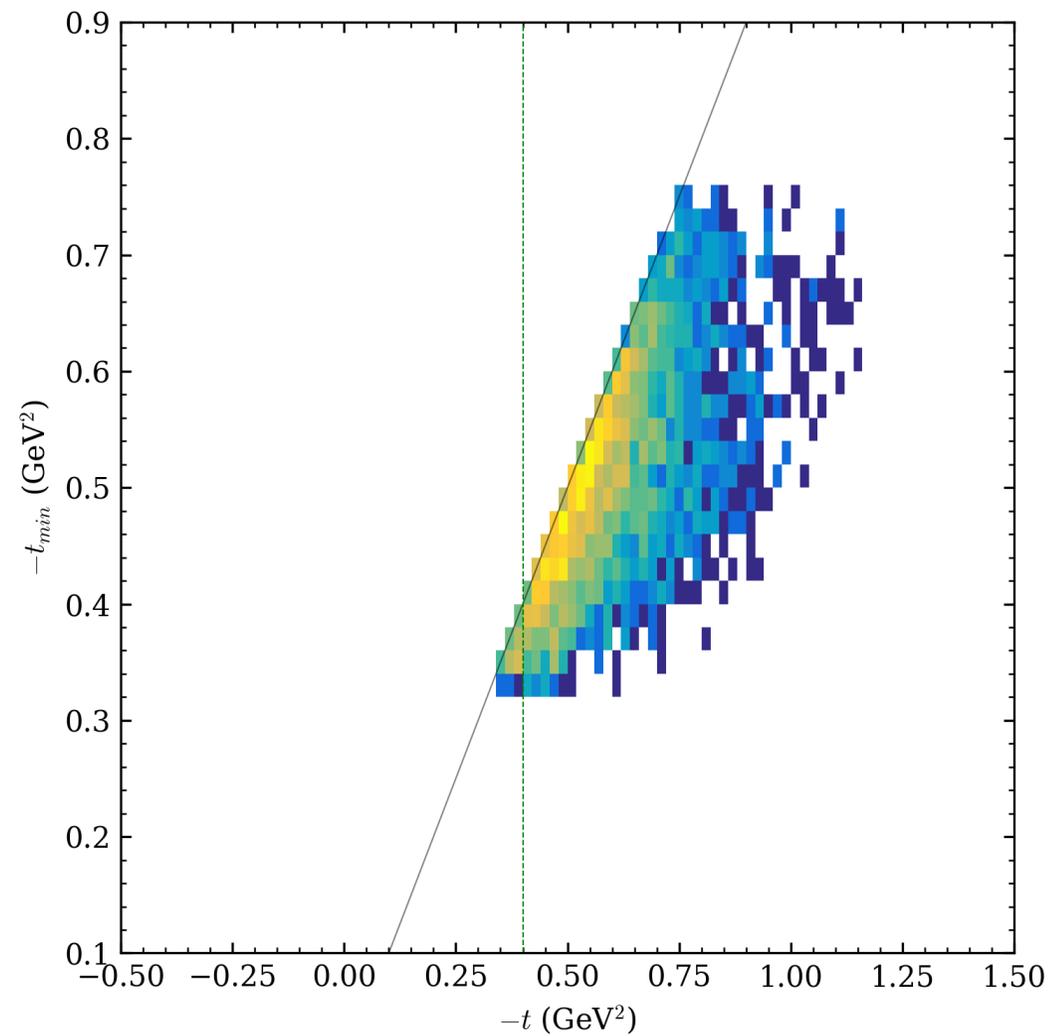
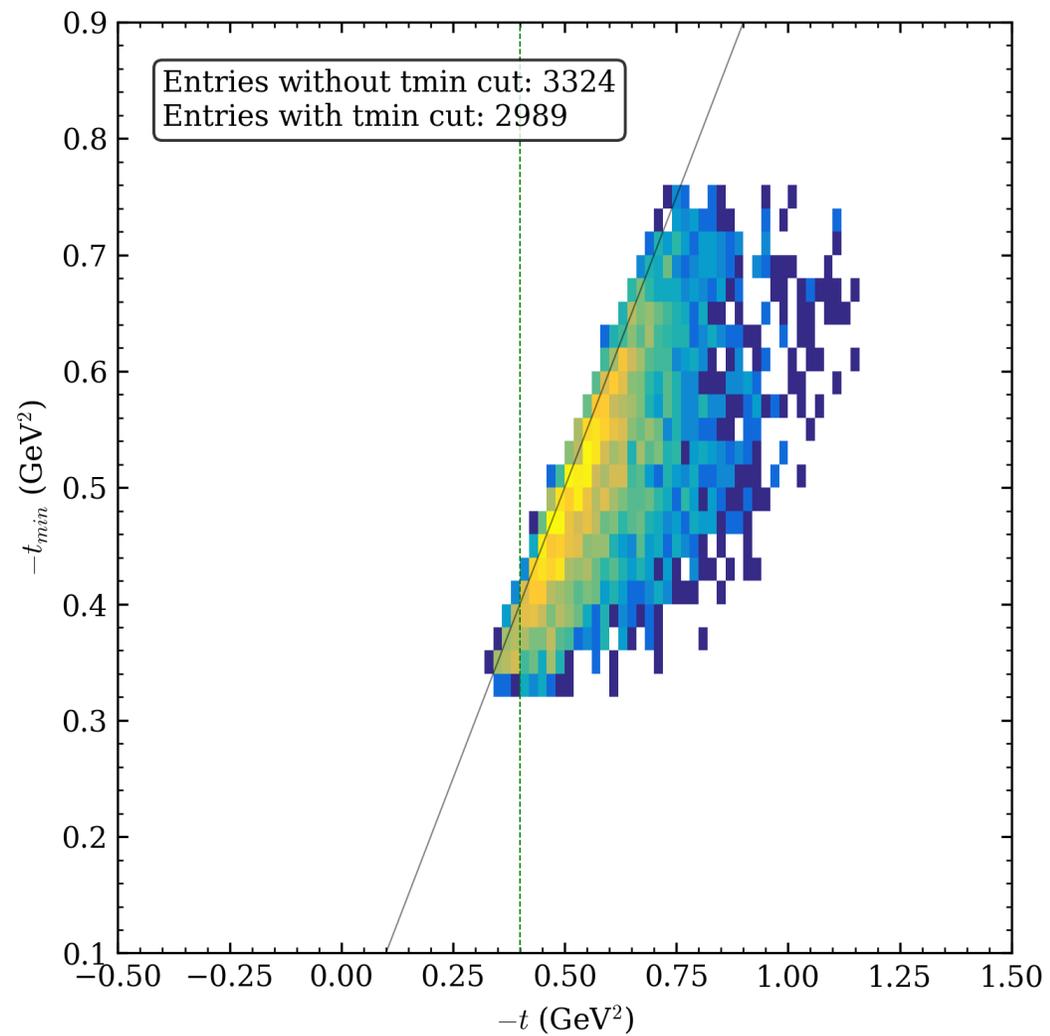


- About 10 % are bad

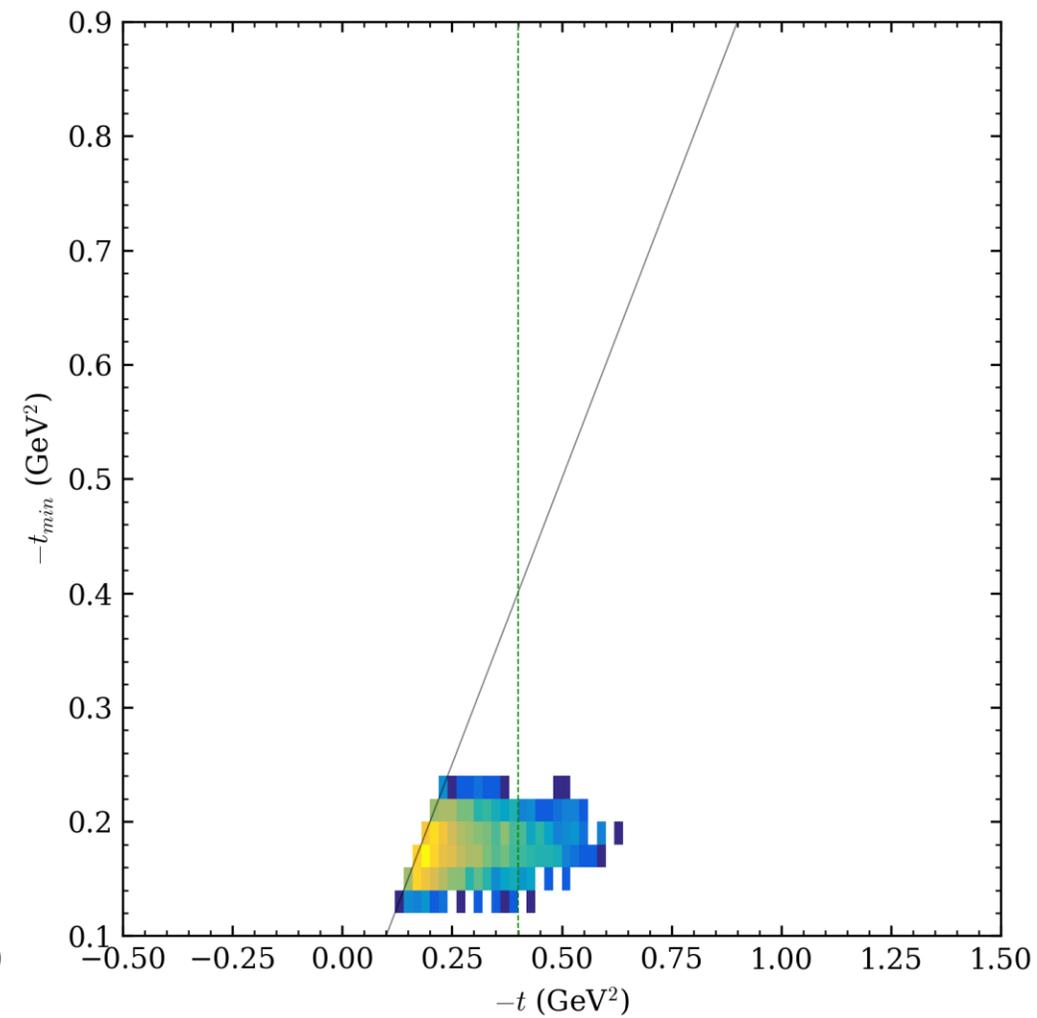
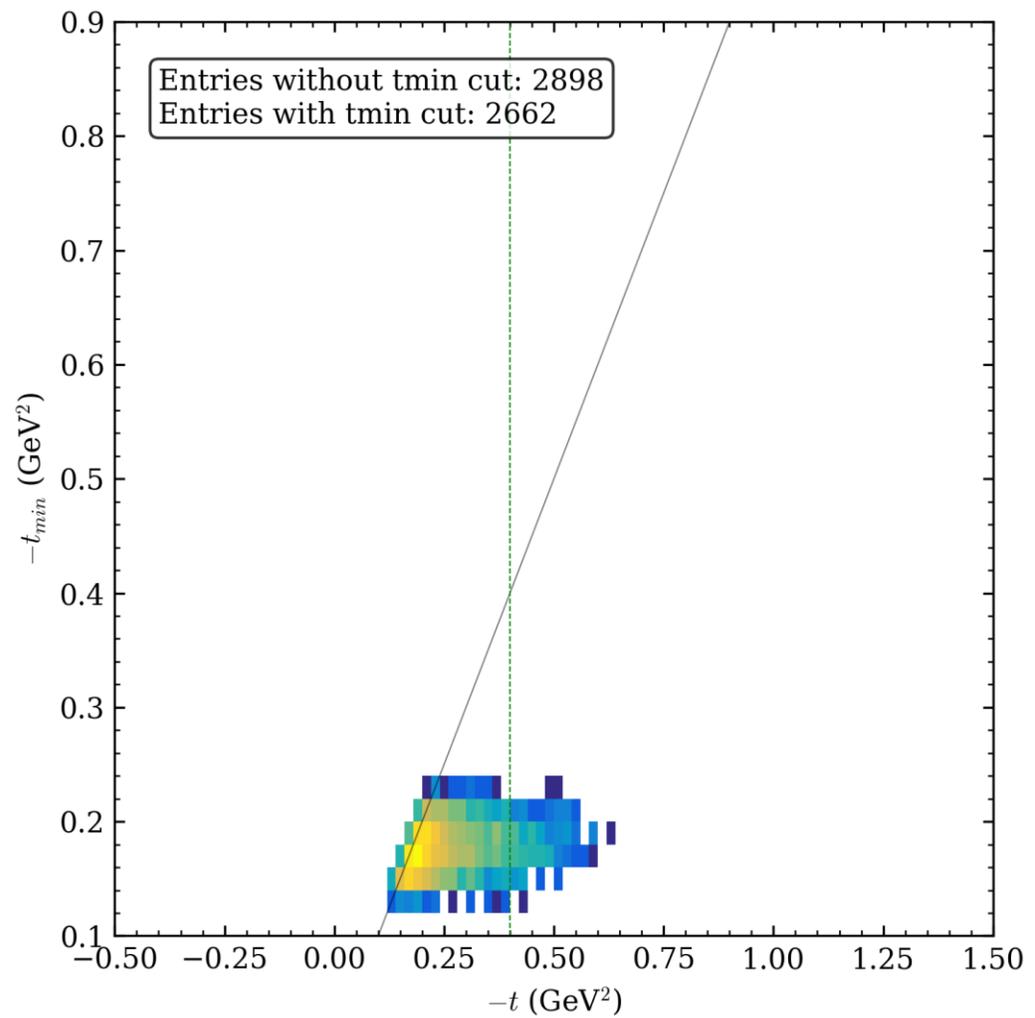
# Data Center High e ( $Q^2=3.0, W=2.32$ )



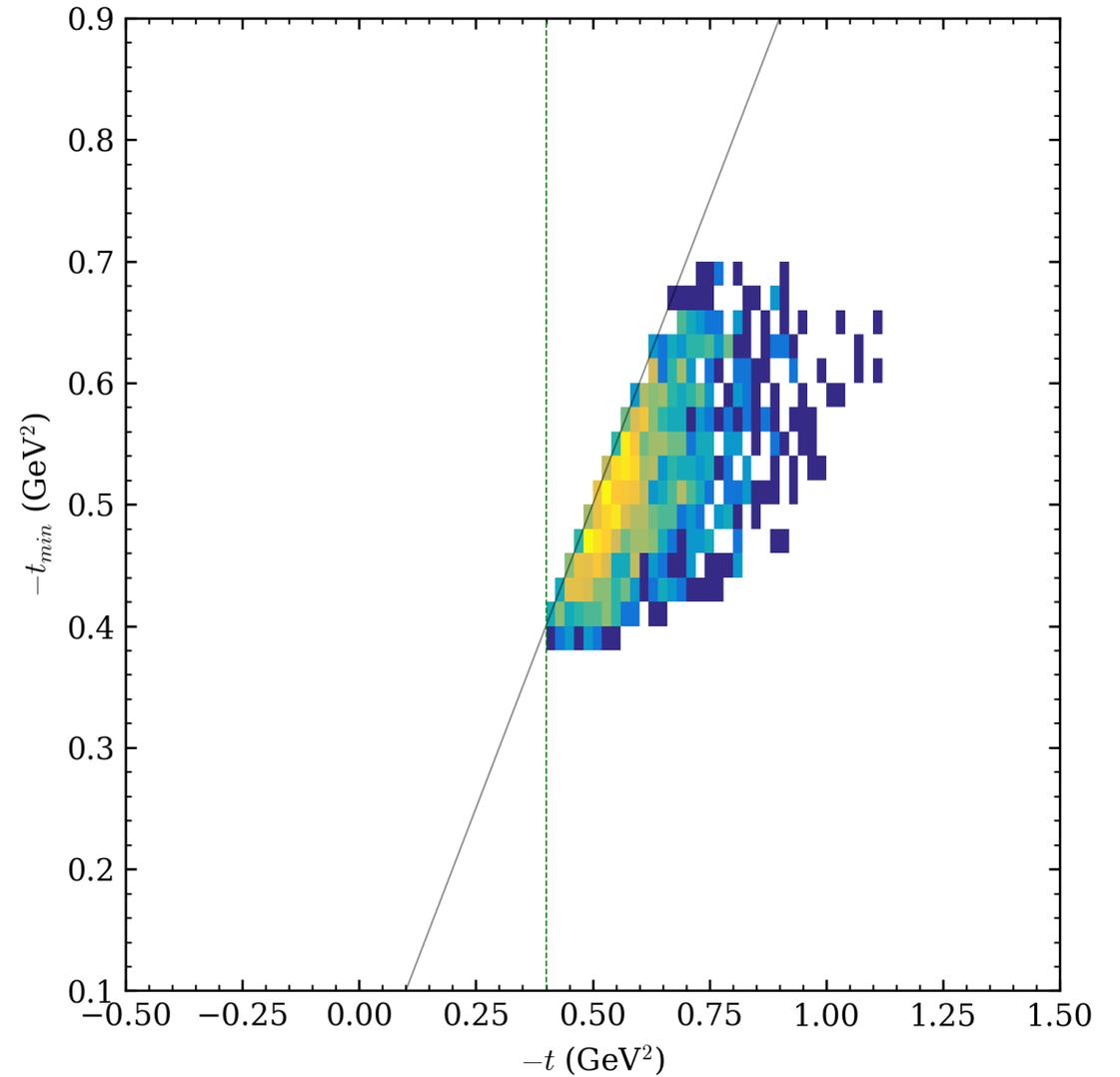
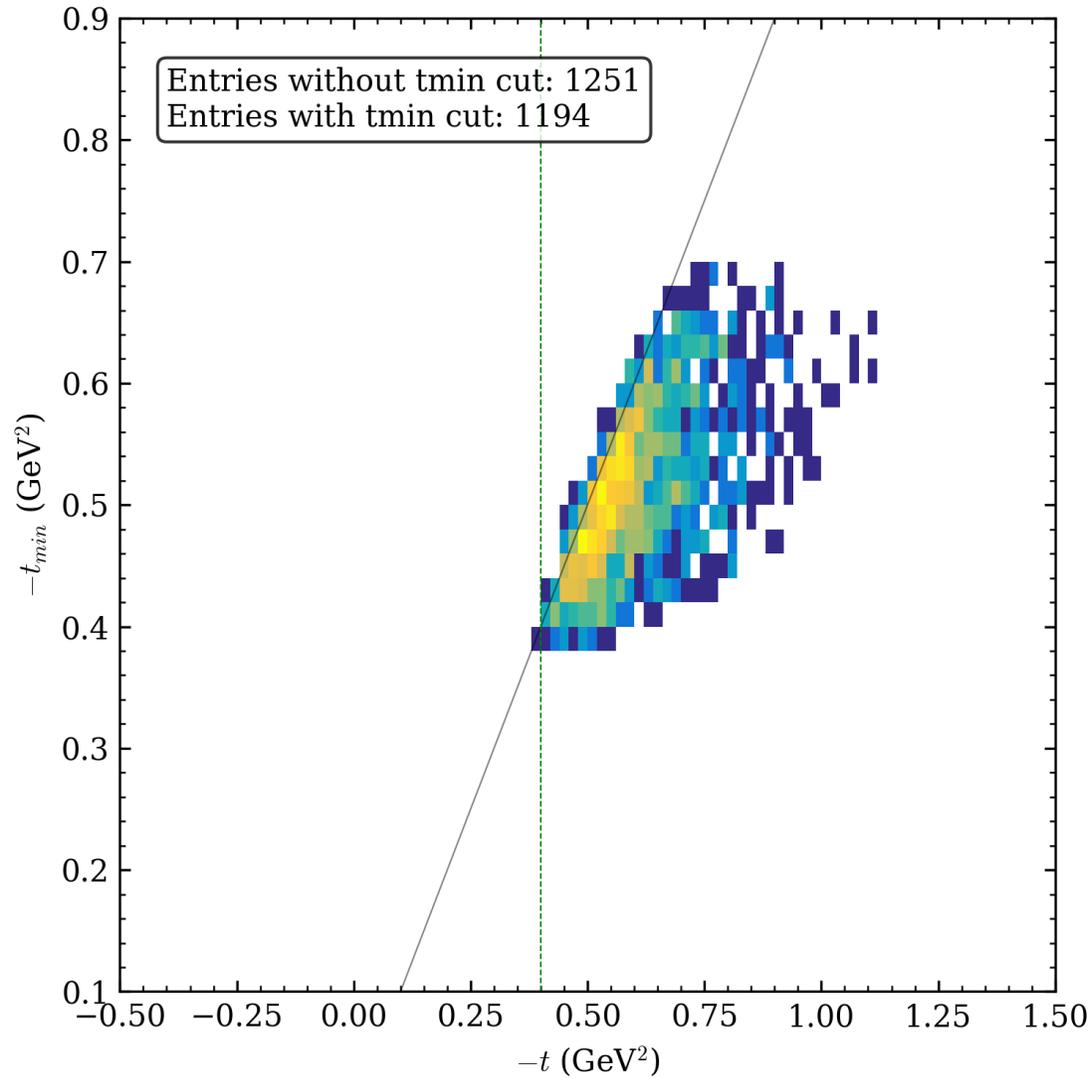
# Data Center High e ( $Q^2=4.4, W=2.74$ )



# Data Center High e ( $Q^2=2.115, W=2.95$ )

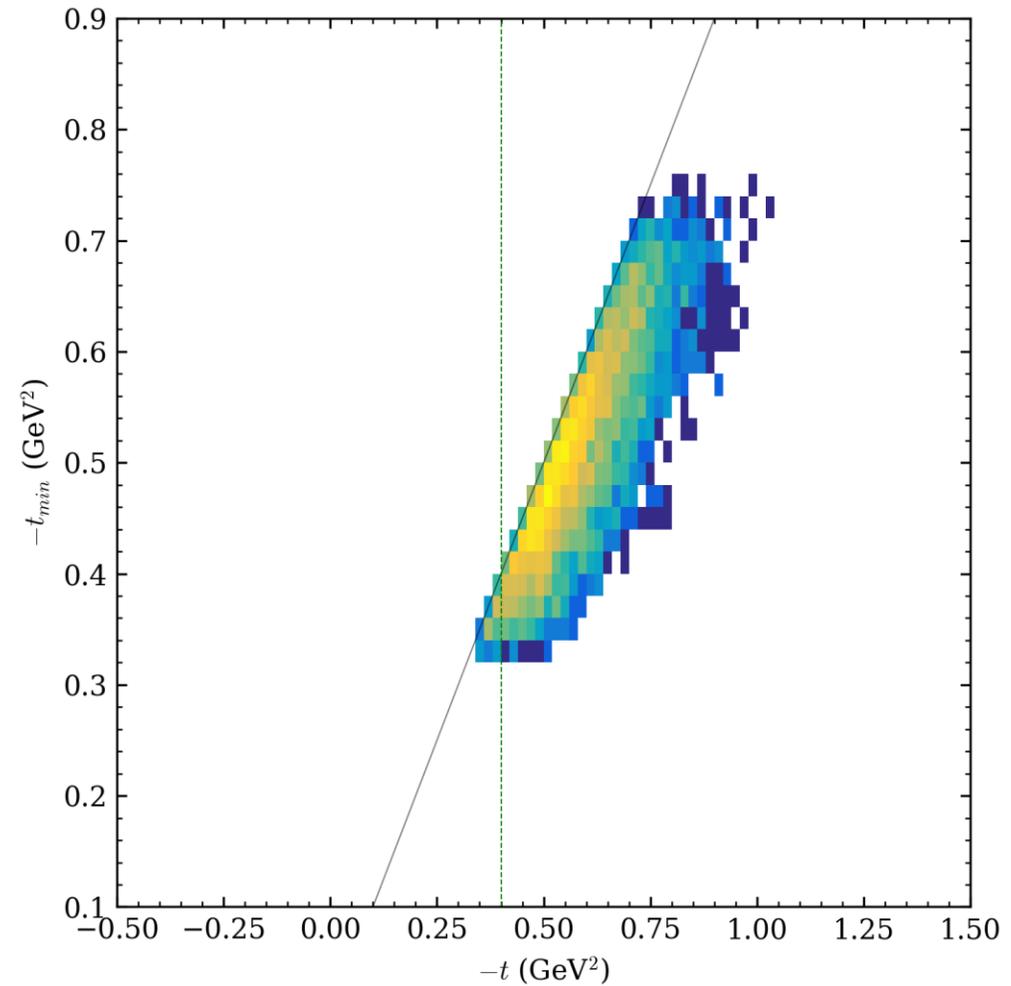
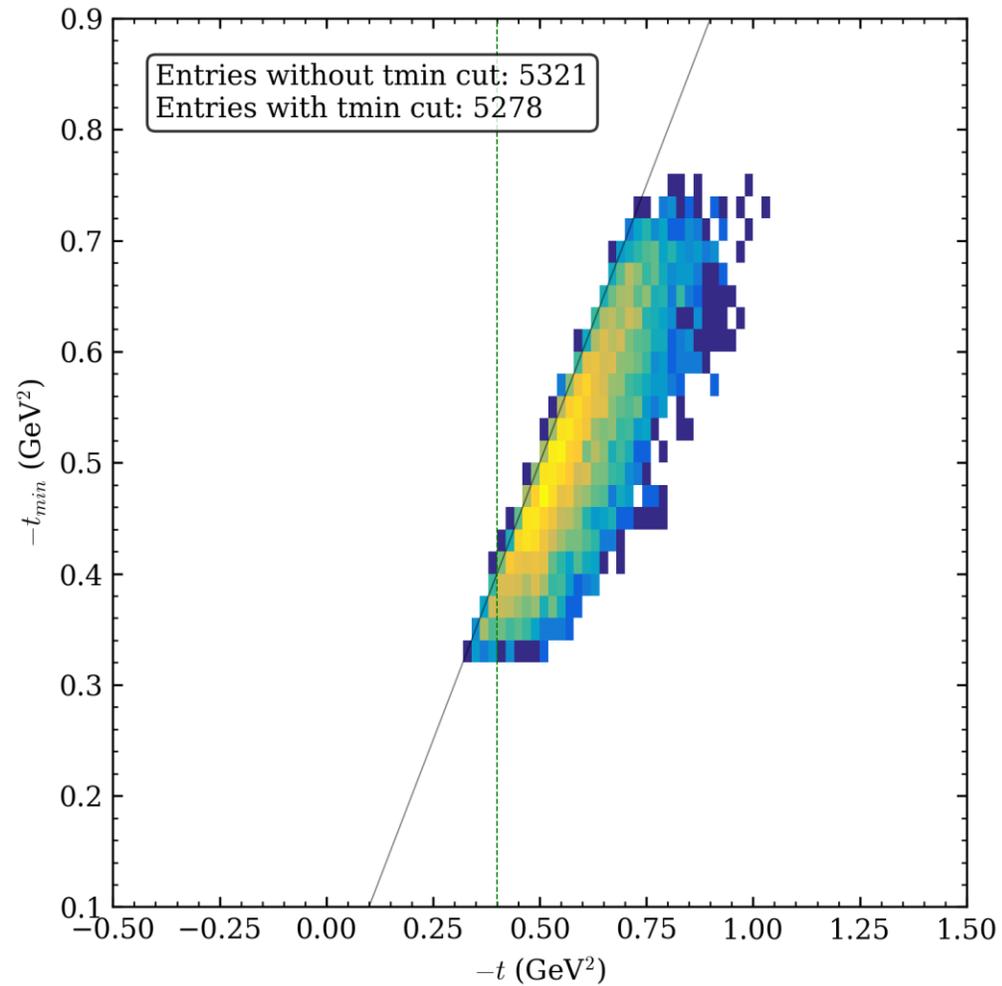


# Data Center High e ( $Q^2=5.5, W=3.02$ )



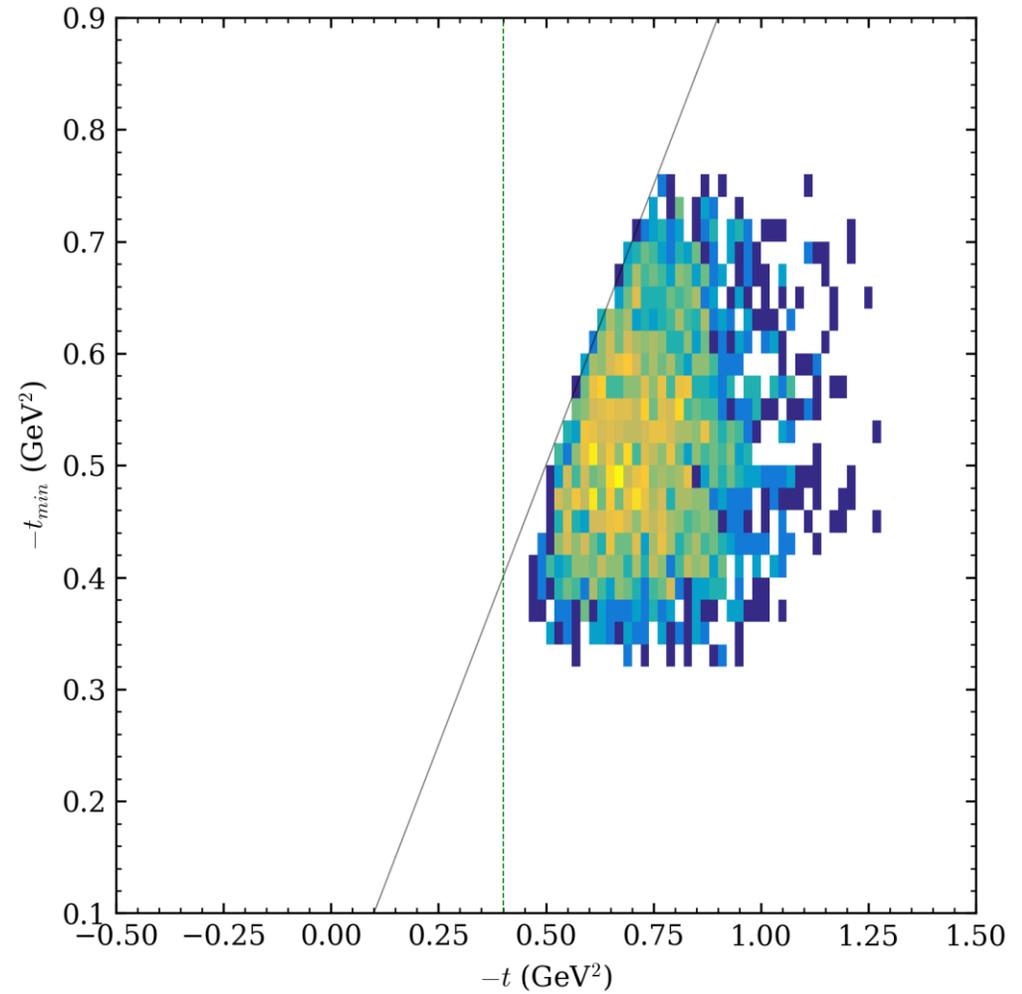
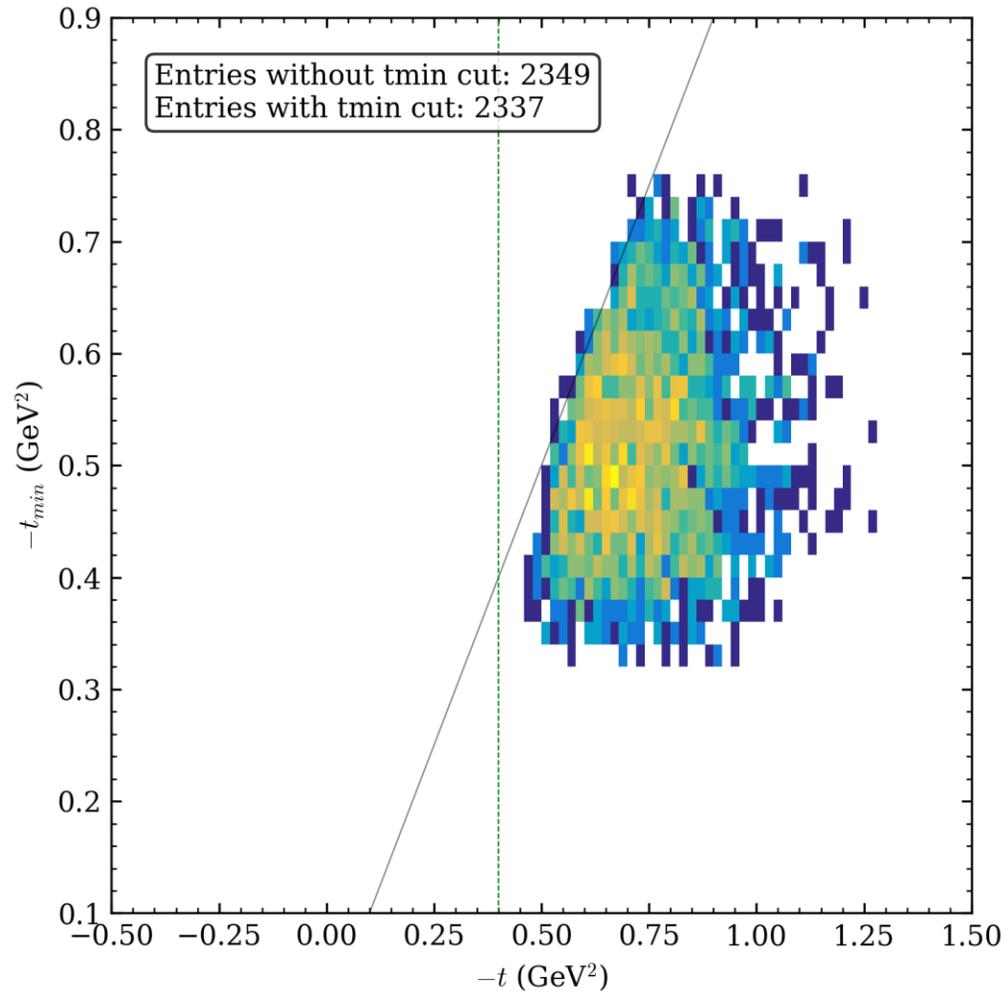
- About 5 % are bad

# Data Center Low e ( $Q^2=4.4, W=2.74$ )



- A few in center low e

# Data left high e ( $Q^2=4.4, W=2.74$ )



- Not much in left, right

# Applying shifts in t due to mm shifts (calc. from Garth

	Q2_str	W_str	shms	epsilon	Q2	W	Ebeam	MMshift	t-shift
0	5p5	3p02	left	low	5.500	3.02	9.404	0.00300	-0.01069
1	5p5	3p02	left	high	5.500	3.02	10.588	0.00801	-0.02832
2	5p5	3p02	right	high	5.500	3.02	10.588	0.00100	-0.00358
3	5p5	3p02	center	low	5.500	3.02	9.404	-0.00100	0.00344
4	5p5	3p02	center	high	5.500	3.02	10.588	0.00701	-0.02377
5	4p4	2p74	left	low	4.400	2.74	8.204	0.00100	-0.00357
6	4p4	2p74	left	high	4.400	2.74	10.588	0.01101	-0.03869
7	4p4	2p74	right	high	4.400	2.74	10.588	0.00701	-0.02479
8	4p4	2p74	center	low	4.400	2.74	8.204	-0.00200	0.00696
9	4p4	2p74	center	high	4.400	2.74	10.588	0.01001	-0.03416
10	3p0	3p14	left	low	3.000	3.14	8.204	0.00100	-0.00194
11	3p0	3p14	left	high	3.000	3.14	10.588	0.01201	-0.02281

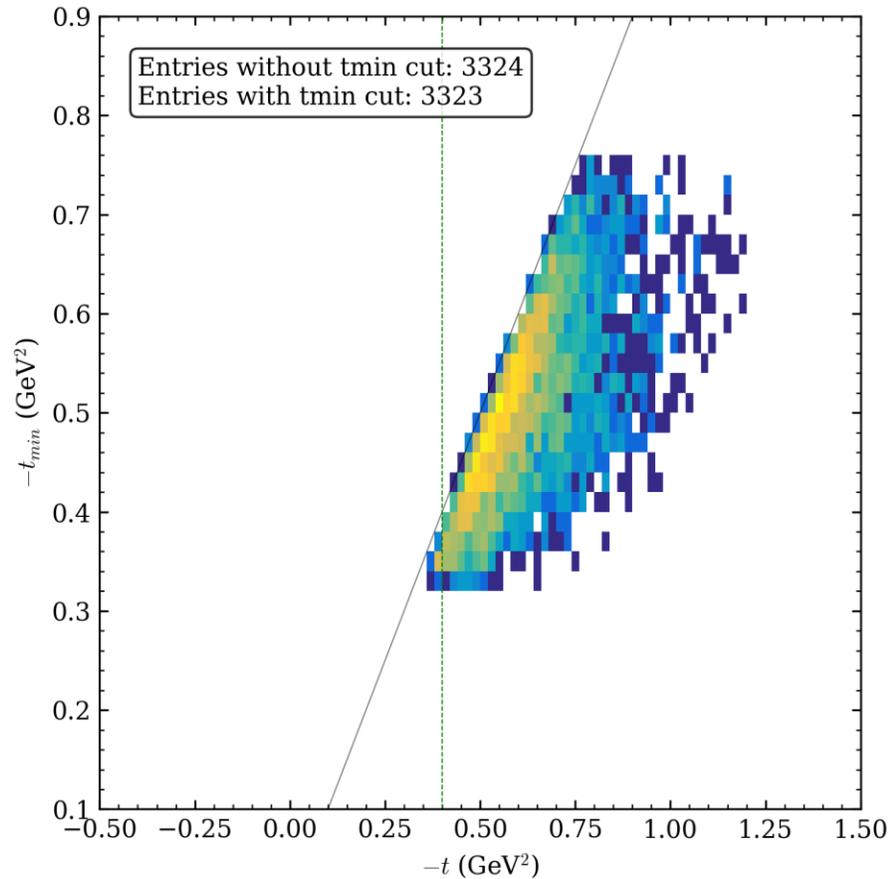
Right shift -t

$$(-t)_{new} = (-t)_{old} - shift$$

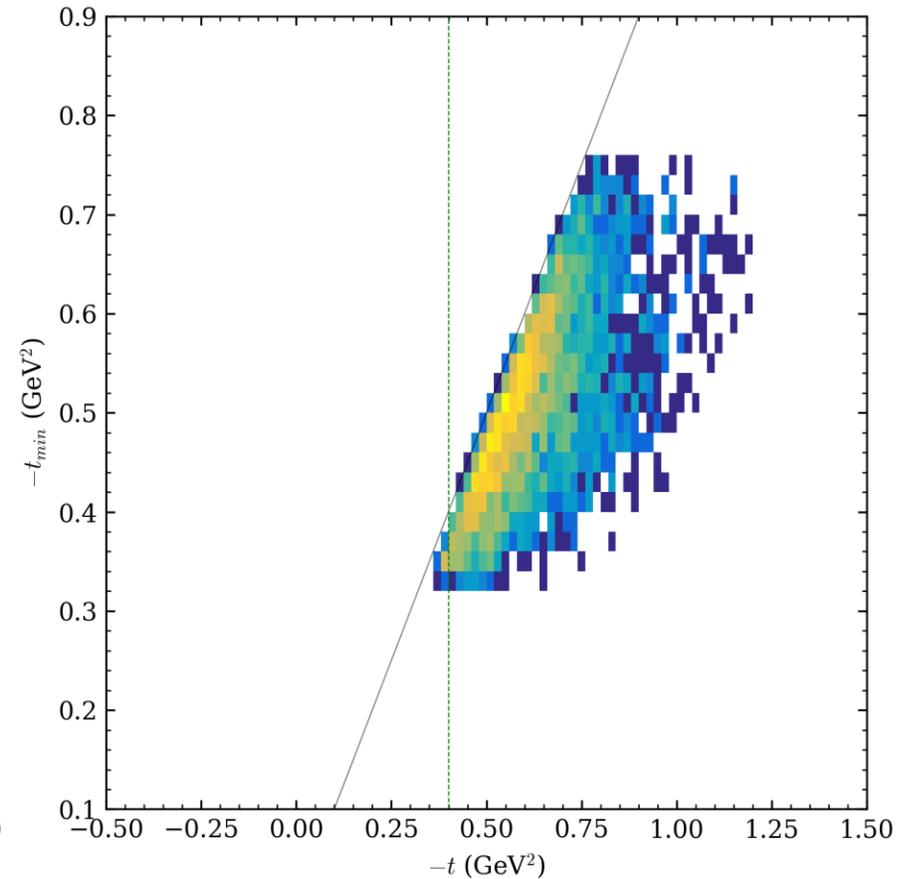
# Data Center High e ( $Q^2=4.4, W=2.74$ )

$$-t = -(p - q)^2$$
$$(-t)_{min} = (E_1^2 - E_3^2) - (\vec{p}_1 - \vec{p}_2)^2$$

$$(-t)_{new} = (-t)_{old} - shift$$



Without cut  $(-t)_{new} \geq (-t)_{min}$



With cut  $(-t)_{new} \geq (-t)_{min}$