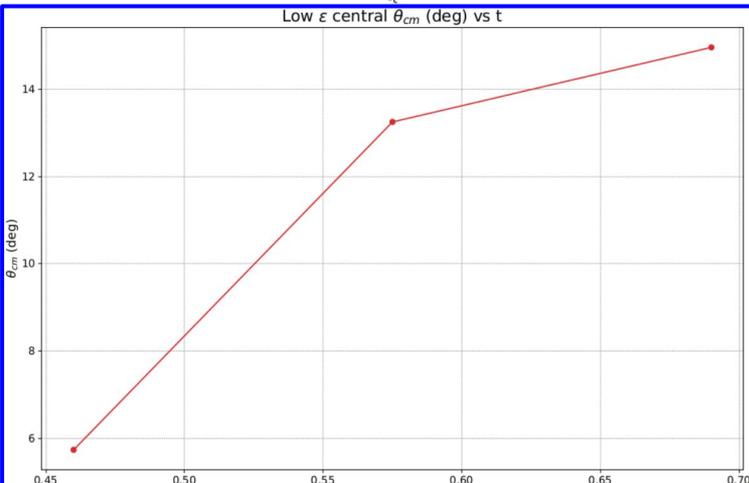
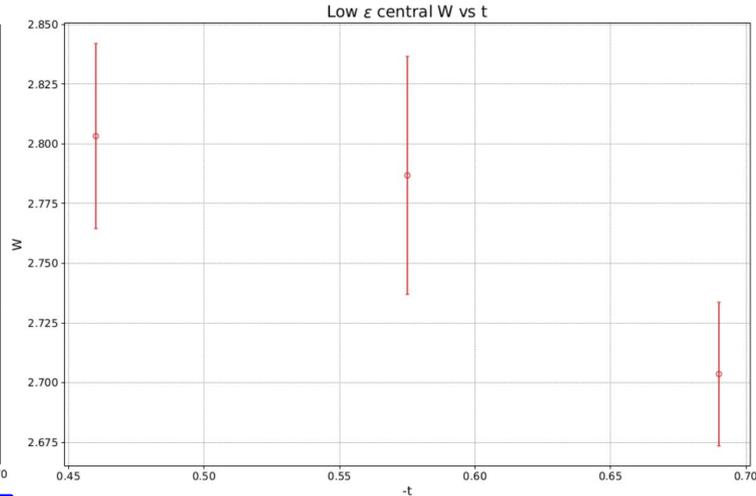
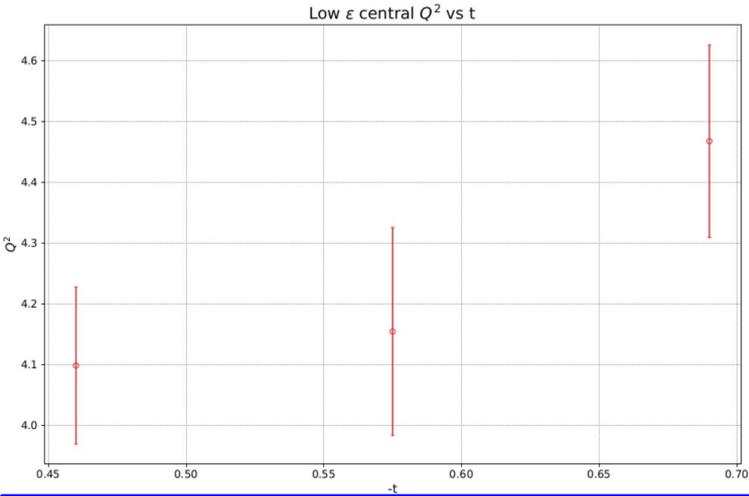


KaonLT Meeting

February 26-27th, 2025

Richard L. Trotta

Small $|t|$ θ_{cm} behavior

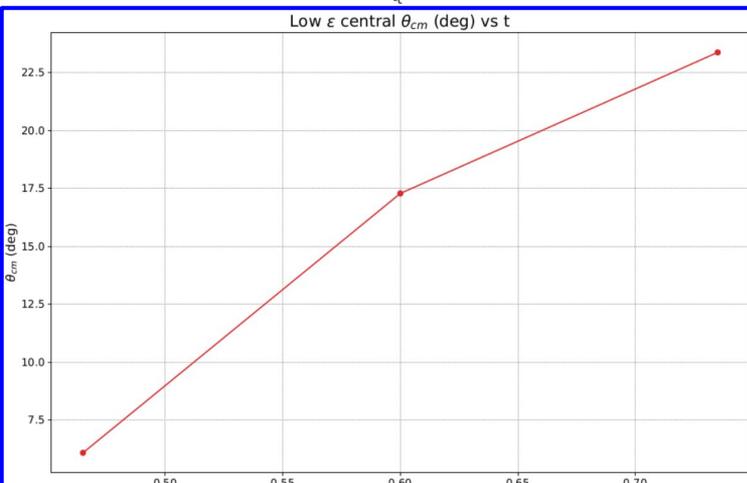
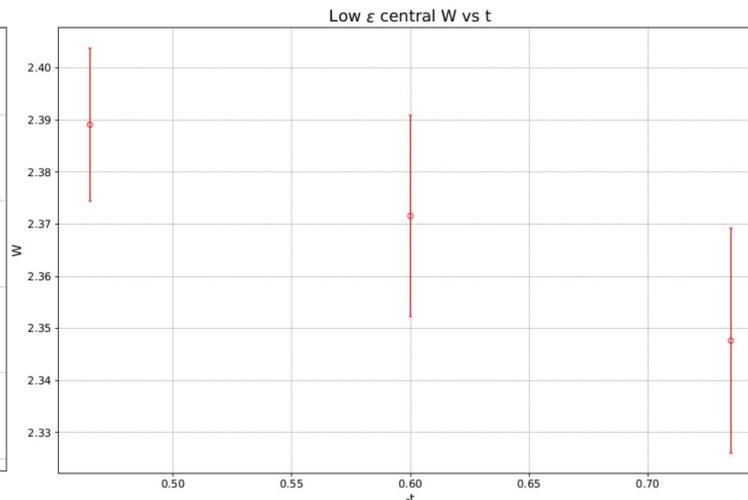
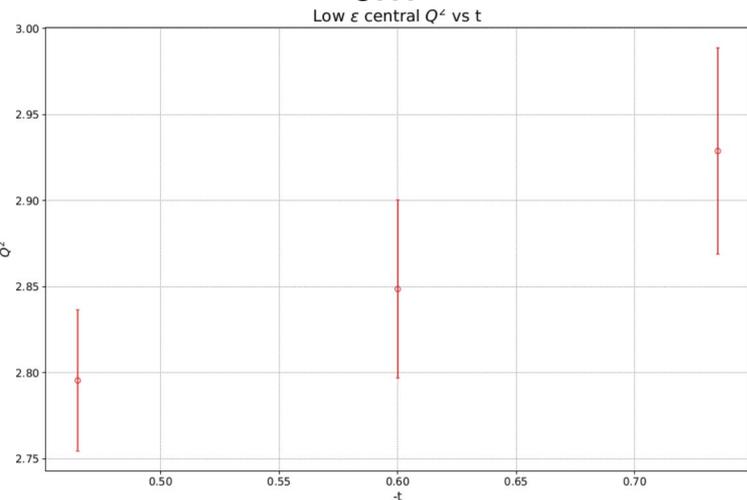
$Q^2=4.4$, $W=2.74$

Missing Mass Shifts

- Center MM_shift = -0.001672
- Left MM_shift = +0.001519

$-t$ Shifts

- Center t _shift = +0.002647
- Left t _shift = -0.002398

Small $|t|$ θ_{cm} behavior

$$Q^2=3.0, W=2.32$$

Missing Mass Shifts

- Center MM_shift = -0.001918
- Left MM_shift = -0.000941

-t Shifts

- Center t_shift = +0.003220
- Left t_shift = +0.001576

Calculated θ_{cm} distribution

- Using the histogram distributions (instead of central values), I calculated the θ_{cm} distribution
 - Same calculation as eps_n_theta.f

$$p_1^{\text{lab}} = q$$

$$p_1^{\text{cm}} = \frac{p_1^{\text{lab}} m_2}{W}$$

$$p_3^{\text{cm}} = \sqrt{(E_3^{\text{cm}})^2 - m_3^2}$$

$$t_{\text{min}} = - \left[(E_1^{\text{cm}} - E_3^{\text{cm}})^2 - (p_1^{\text{cm}} - p_3^{\text{cm}})^2 \right]$$

$$\theta_{\text{cm}} = 2 \sin^{-1} \left(\sqrt{\frac{t - t_{\text{min}}}{4 p_1^{\text{cm}} p_3^{\text{cm}}}} \right), \quad \text{for } t \geq t_{\text{min}}$$

$$\epsilon = \left[1 + 2 \frac{Q^2 + \omega^2}{4 E_b (E_b - \omega) - Q^2} \right]^{-1}$$

$$s = W^2$$

$$\omega = \frac{s + Q^2 - m_2^2}{2m_2}$$

$$q = \sqrt{Q^2 + \omega^2}$$

$$m_1^2 = -Q^2$$

$$m_3 = \begin{cases} m_K, & \text{if pid = "kaon"} \\ m_\pi, & \text{if pid = "pion"} \end{cases}$$

$$m_3^2 = \begin{cases} m_K^2, & \text{if pid = "kaon"} \\ m_\pi^2, & \text{if pid = "pion"} \end{cases}$$

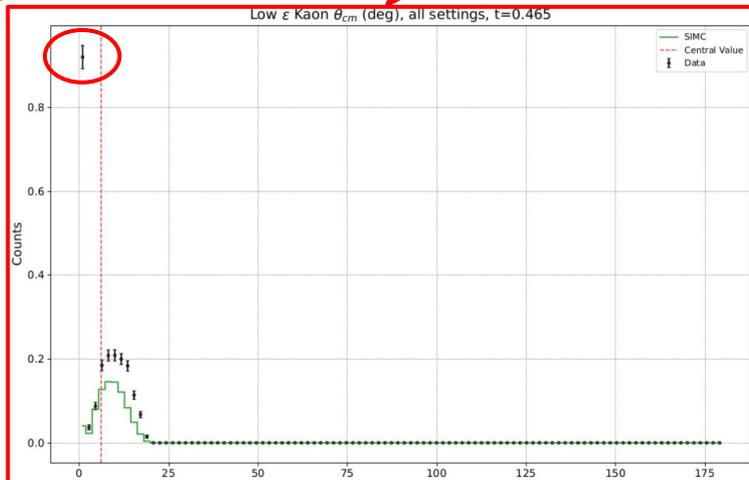
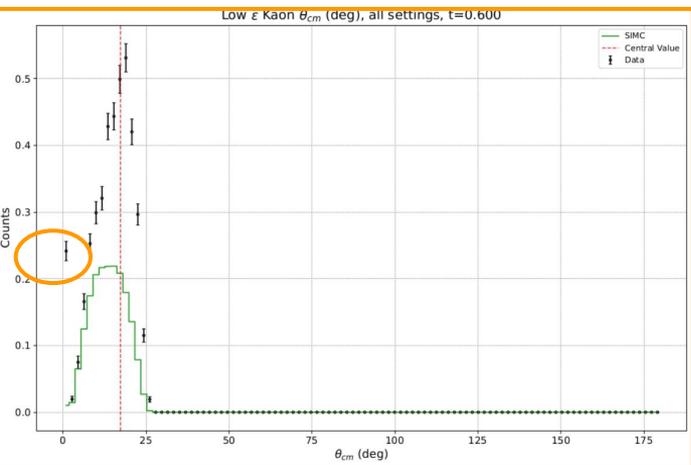
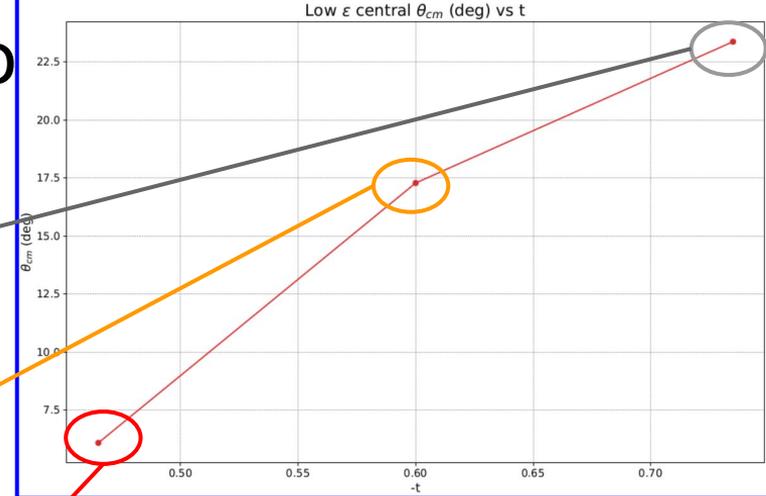
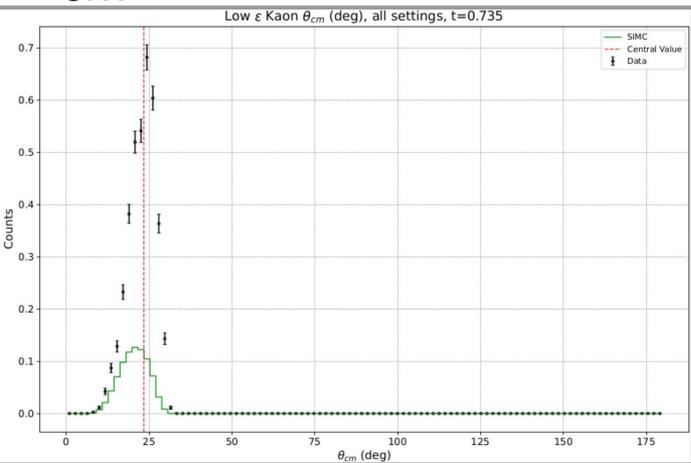
$$(m_2, m_4) = \begin{cases} (m_p, m_\Lambda), & \text{if } n_{\text{pol}} > 0 \\ (m_n, m_p), & \text{if } n_{\text{pol}} \leq 0 \end{cases}$$

$$(m_2^2, m_4^2) = \begin{cases} (m_p^2, m_\Lambda^2), & \text{if } n_{\text{pol}} > 0 \\ (m_n^2, m_p^2), & \text{if } n_{\text{pol}} \leq 0 \end{cases}$$

$$E_1^{\text{cm}} = \frac{s + m_1^2 - m_2^2}{2W}$$

$$E_3^{\text{cm}} = \frac{s + m_3^2 - m_4^2}{2W}$$

θ_{cm} blows up as it approaches zero



Ignore
simc/data scale
issue (bug)

Calculated θ_{cm} distribution

- Using the histogram distributions (instead of central values), I calculated the theta_cm distribution
 - Same calculation as eps_n_theta.f

$$p_1^{\text{lab}} = q$$

$$p_1^{\text{cm}} = \frac{p_1^{\text{lab}} m_2}{W}$$

$$p_3^{\text{cm}} = \sqrt{(E_3^{\text{cm}})^2 - m_3^2}$$

$$t_{\text{min}} = - \left[(E_1^{\text{cm}} - E_3^{\text{cm}})^2 - (p_1^{\text{cm}} - p_3^{\text{cm}})^2 \right]$$

$$\theta_{\text{cm}} = 2 \sin^{-1} \left(\sqrt{\frac{t - t_{\text{min}}}{4 p_1^{\text{cm}} p_3^{\text{cm}}}} \right), \quad \text{for } t \geq t_{\text{min}}$$

$$\epsilon = \left[1 + 2 \frac{Q^2 + \omega^2}{4 E_b (E_b - \omega) - Q^2} \right]^{-1}$$

$$s = W^2$$

$$\omega = \frac{s + Q^2 - m_2^2}{2m_2}$$

$$q = \sqrt{Q^2 + \omega^2}$$

$$m_1^2 = -Q^2$$

$$m_3 = \begin{cases} m_K, & \text{if pid = "kaon"} \\ m_\pi, & \text{if pid = "pion"} \end{cases}$$

$$m_3^2 = \begin{cases} m_K^2, & \text{if pid = "kaon"} \\ m_\pi^2, & \text{if pid = "pion"} \end{cases}$$

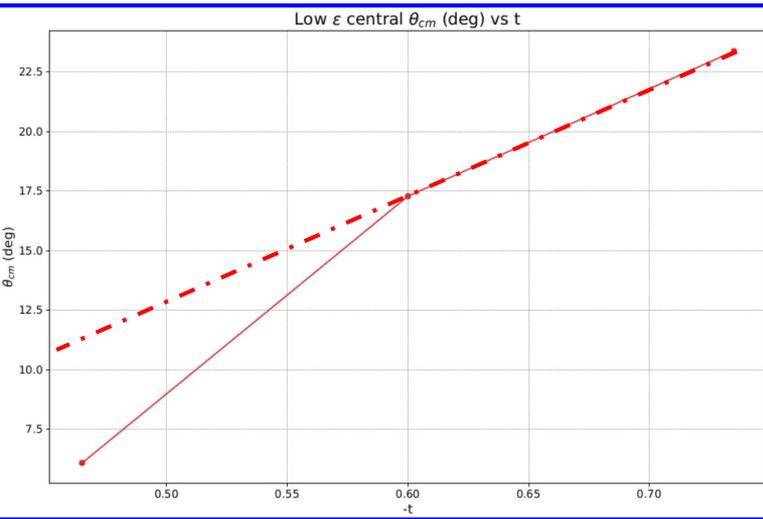
$$(m_2, m_4) = \begin{cases} (m_p, m_\Lambda), & \text{if } n_{\text{pol}} > 0 \\ (m_n, m_p), & \text{if } n_{\text{pol}} \leq 0 \end{cases}$$

$$(m_2^2, m_4^2) = \begin{cases} (m_p^2, m_\Lambda^2), & \text{if } n_{\text{pol}} > 0 \\ (m_n^2, m_p^2), & \text{if } n_{\text{pol}} \leq 0 \end{cases}$$

$$E_1^{\text{cm}} = \frac{s + m_1^2 - m_2^2}{2W}$$

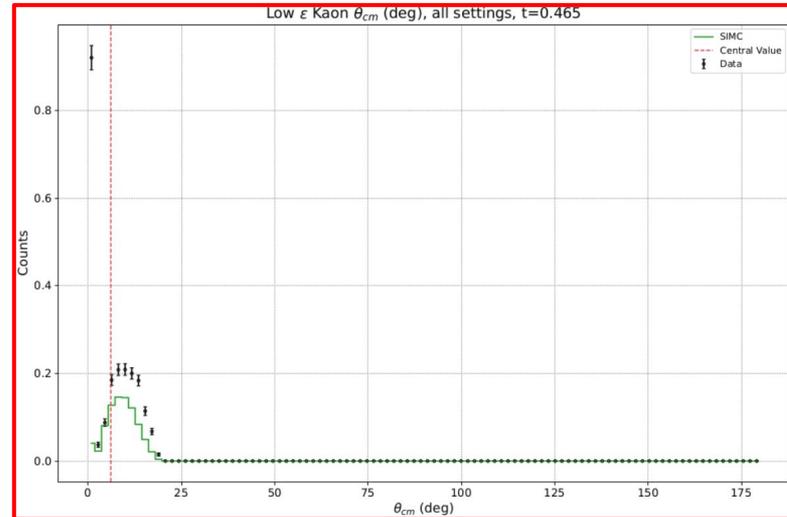
$$E_3^{\text{cm}} = \frac{s + m_3^2 - m_4^2}{2W}$$

Possible Solution

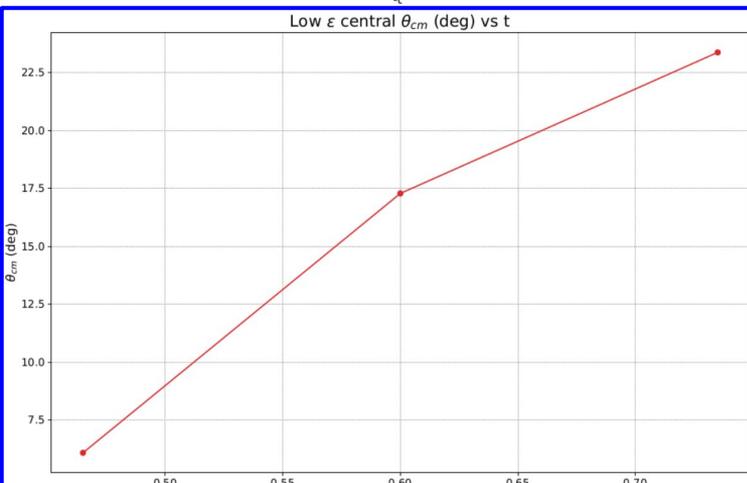
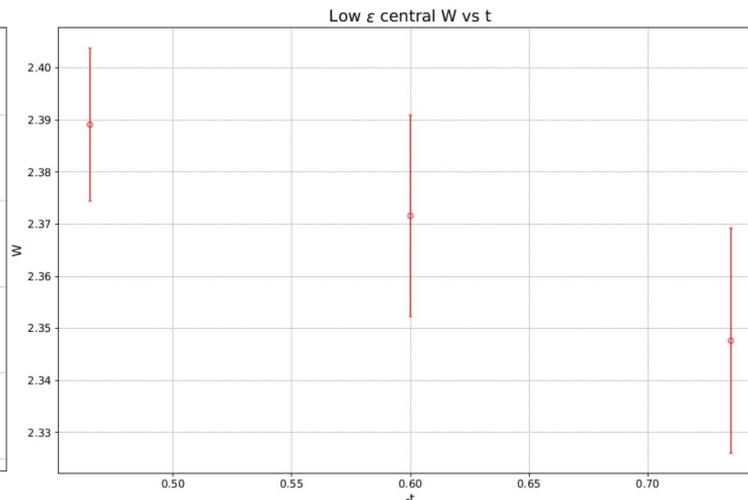
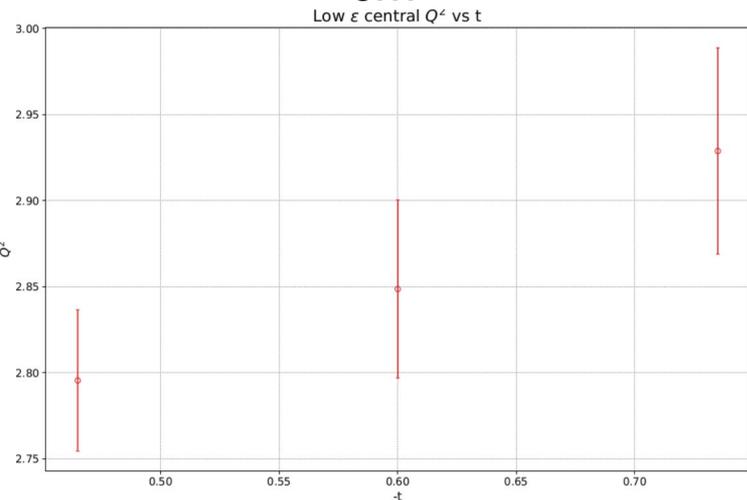


- Linear fit the higher $|t|$ θ_{cm} values
- Maximal theta value and find t-shift here
 - Range of t-shift values
- Needs physical explanation
 - Offset related?
 - **Resolution related?**

$$\Delta(t - t_{\min}) > \delta_{\text{res}}$$



EXTRA

Small $|t|$ θ_{cm} behavior

$$Q^2=3.0, W=2.32$$

- Side note:
 - I need to check with no t-shift and same binning
- With similar bins...
 - (2026-03-20) $t=0.479$ $\theta_{cm}=6.08$
 - (2026-01-13) $t=0.471$ $\theta_{cm}=9.80$
- Regardless, this trend is the same