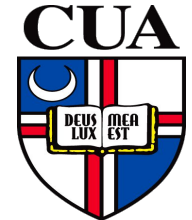
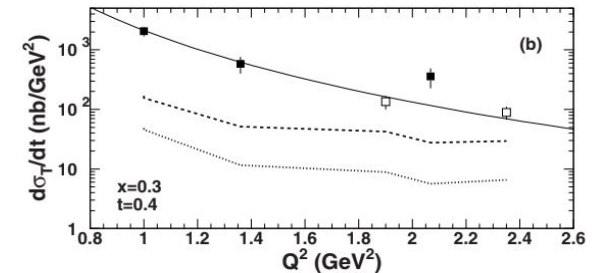
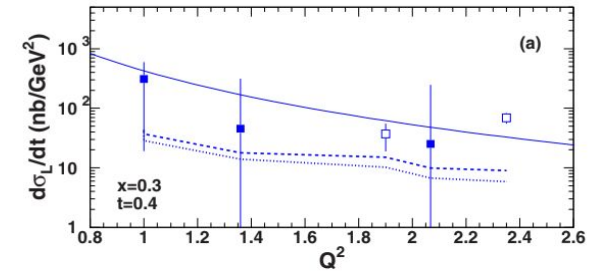
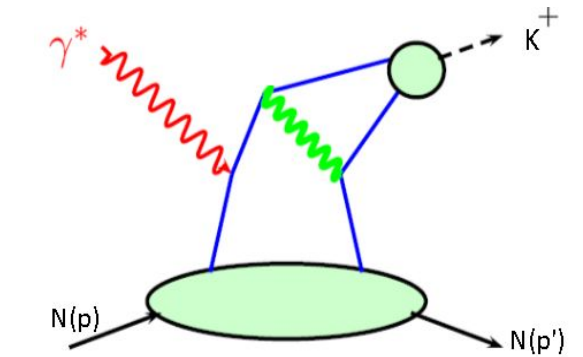

First look at KaonLT experiment data

Richard Trotta, Tanja Horn, Garth Huber, Pete Markowitz,
Stephen Kay, Vijay Kumar, Vladimir Berdnikov, Mireille Muhoza,
Nathan Heinrich,
and the KaonLT collaboration



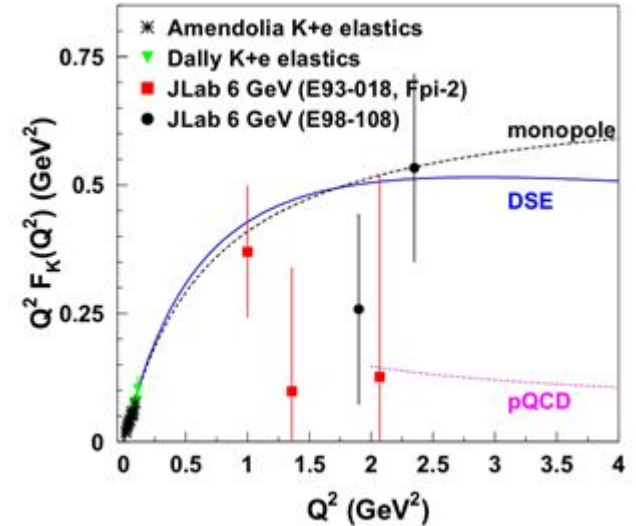
L/T separated data for verifying reaction mechanism

- Jlab 6 GeV data demonstrate the technique of measuring the Q^2 dependence of L/T separated cross sections at fixed x/t to test QCD Factorization
 - Consistent with expected scaling of σ_L to leading order Q^{-6} but with relatively large uncertainties
- Separated cross sections over a large range in Q^2 are essential for:
 - Testing factorization and understanding dynamical effects in both Q^2 and $-t$ kinematics
 - Interpretation of non-perturbative contributions in experimentally accessible kinematics



Meson Form Factors

- Pion and kaon form factors are of special interest in hadron structure studies
 - The pion is the lightest QCD quark system and also has a central role in our understanding of the dynamic generation of mass - kaon is the next simplest system containing strangeness
- Clearest test case for studies of the transition from non-perturbative to perturbative regions
- Jlab 6 GeV data show that FF differs from hard QCD calculation evaluated with asymptotic valence-quark Distribution Amplitude (DA), but large uncertainties
- Essential for FF extractions from 12 GeV data:
 - measurements over a range of t , which would allow for interpretation of the kaon pole contribution



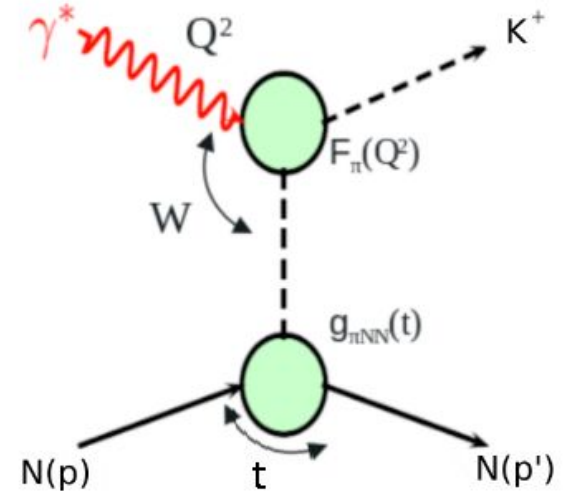
M. Carmignotto et al., PhysRevC 97(2018)025204
F. Gao et al., Phys. Rev. D 96 (2017) no. 3, 034024

Experimental Determination of the π/K^+ Form Factor

- At larger Q^2 , $F_{\pi^+}^2$ must be measured indirectly using the “pion cloud” of the proton via the $p(e, e' \pi^+)n$ process
 - At small $-t$, the pion pole process dominates the longitudinal cross section, σ_L
 - In the Born term model, $F_{\pi^+}^2$ appears as

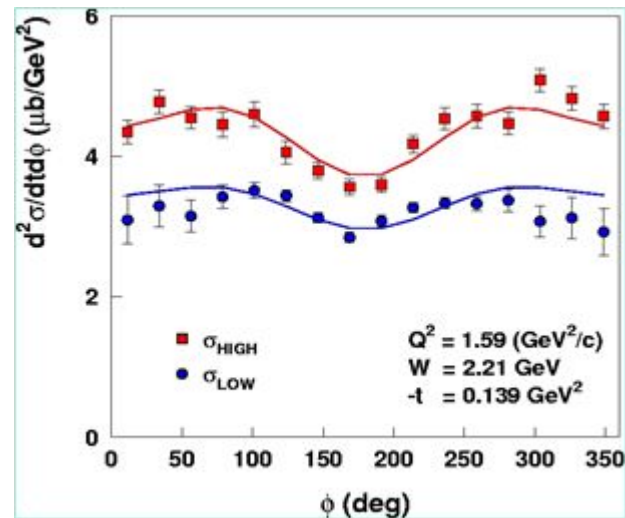
$$\frac{d\sigma_L}{dt} \propto \frac{-t}{(t - m_\pi^2)} g_{\pi NN}^2(t) Q^2 F_\pi^2(Q^2, t)$$

- Requirements:
 - Full L/T separation of the cross section – isolation of σ_L
 - Selection of the pion pole process
 - Extraction of the form factor using a model
 - Validation of the technique - model dependent checks



L/T Separation Example

- σ_L is isolated using the Rosenbluth separation technique
- Measure the cross section at two beam energies and fixed W , Q^2 , $-t$
- Simultaneous fit using the measured azimuthal angle (ϕ) allows for extracting L, T, LT, and TT
 - Careful evaluation of the systematic uncertainties is important due to the $1/\epsilon$ amplification in the σ_L extraction
 - Spectrometer acceptance, kinematics, and efficiencies
- Magnetic spectrometers a must for such precision cross section measurements
 - This is only possible in Hall C at JLab



$$2\pi \frac{d^2\sigma}{dt d\phi} = \epsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\epsilon(\epsilon+1)} \frac{d\sigma_{LT}}{dt} \cos\phi + \epsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

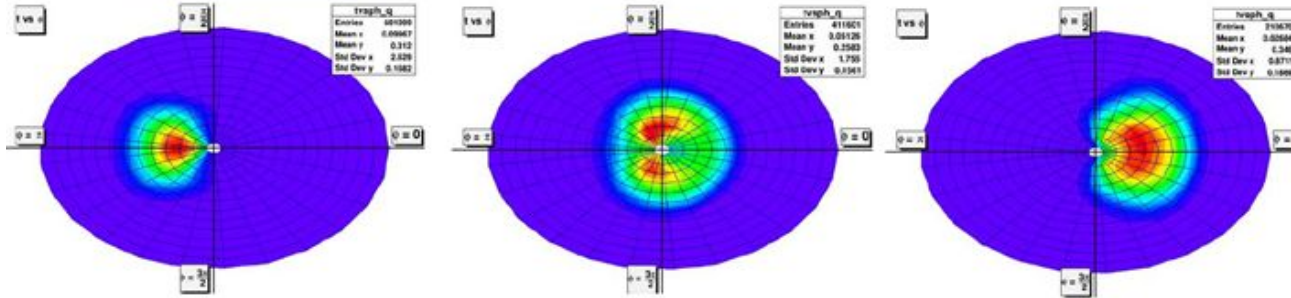


σ_L will give us F_π^2

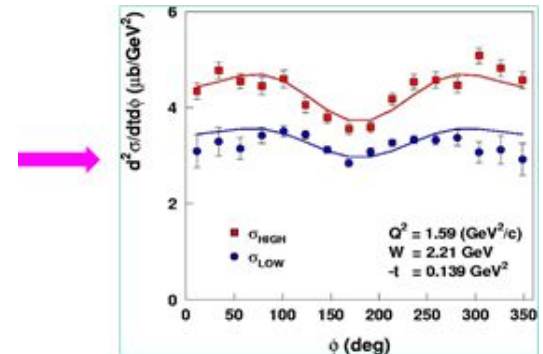
L/T Separation Example

$$2\pi \frac{d^2\sigma}{dt d\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos \phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

Physics cross section



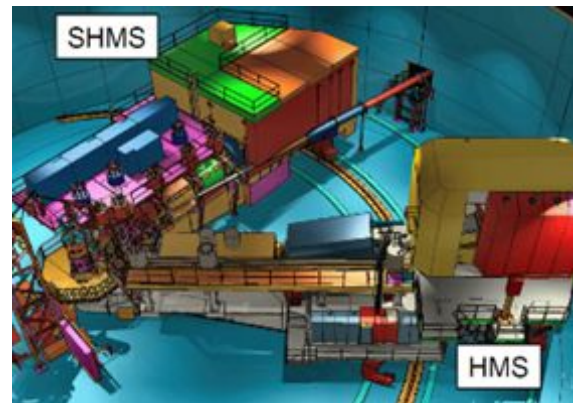
- Three SHMS angles for azimuthal (ϕ) coverage to determine the interference terms (LT, TT)
- Two beam energies (ε) to separate longitudinal (L) from transverse (T) cross section
- Careful evaluation of the systematic uncertainties is important due to the $1/\varepsilon$ amplification in the σ_L extraction
 - spectrometer acceptance, kinematics, efficiencies...



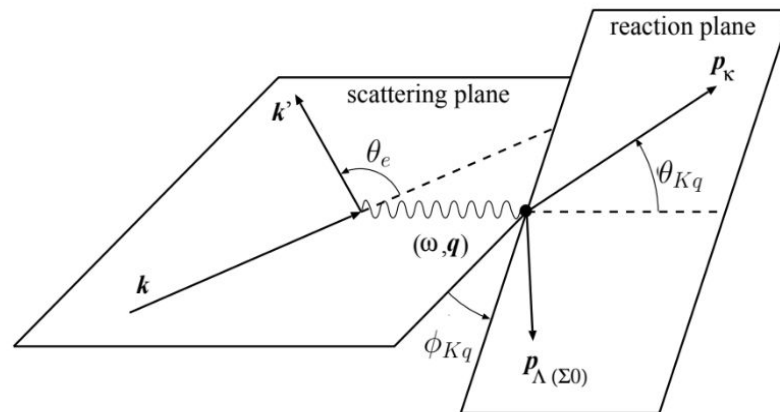
Fit using measured ε and ϕ dependence

Review E12-09-011 (KaonLT) Goals

- The Q^2 dependence will allow studying the scaling behavior of the separated cross sections
 - First cross section data for Q^2 scaling tests with kaons
 - Highest Q^2 for L/T separated kaon electroproduction cross section
 - First separated kaon cross section measurement above $W=2.2$ GeV



- The t -dependence allows for detailed studies of the reaction mechanism
 - Contributes to understanding of the non-pole contributions, which should reduce the model dependence in interpreting the data
 - Bonus: if warranted by data, extract the kaon form factor

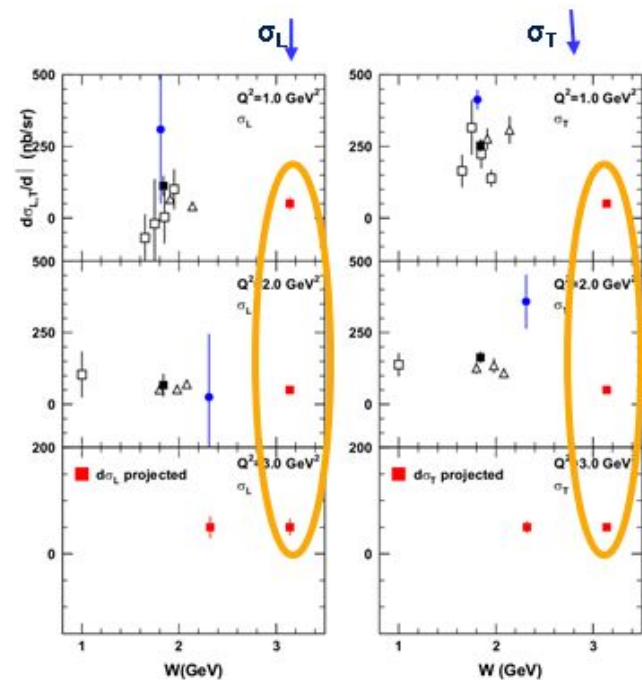


KaonLT Sample Projections

- E12-09-011: Separated L/T/LT/TT cross section over a wide range of Q^2 and t

E12-09-011 spokespersons: T. Horn, G. Huber, P. Markowitz

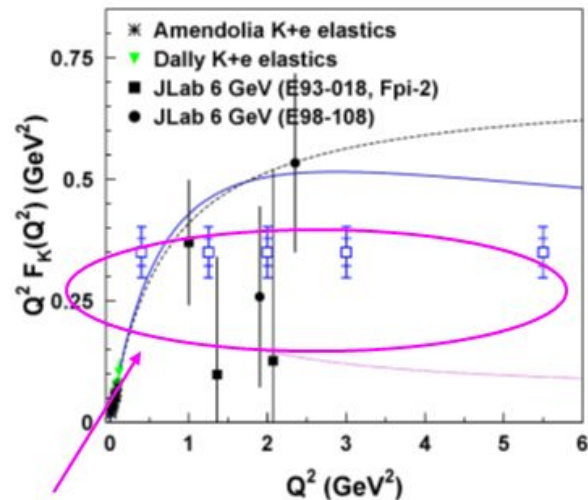
- JLab 12 GeV Kaon Program features:
 - First cross section data for Q^2 scaling tests with kaons
 - Highest Q^2 for L/T separated kaon electroproduction cross section
 - First separated kaon cross section measurement above $W=2.2$ GeV



blue points from M. Carmignotto, PhD thesis (2017)

KaonLT: Projections for $F_{K^+}(Q^2)$ Measurements

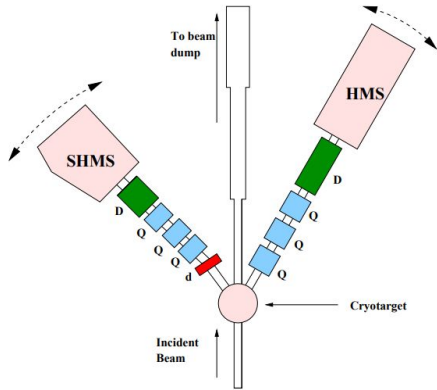
- E12-09-011: primary goal L/T separated kaon cross sections to investigate hard-soft factorization and non-pole contributions
- Possible K^+ form factor extraction to highest possible Q^2 achievable at JLab
 - Extraction like in the pion case by studying the model dependence at small t
 - Comparative extractions of F_p at small and larger t show only modest model dependence
 - larger t data lie at a similar distance from pole as kaon data



Possible extractions from
2018/19 run

Kaon LT - All Data Collected

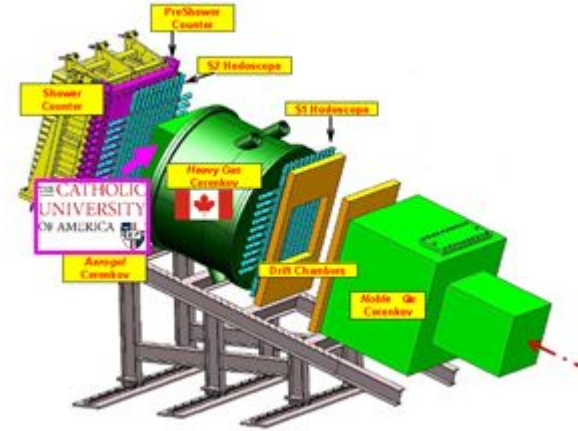
- The $p(e, e'K^+)\Lambda, \Sigma^0$ experiment ran in Hall C at Jefferson Lab over the fall and spring.



E (GeV)	Q^2 (GeV ²)	W (GeV)	x	ϵ_{high}	ϵ_{low}
10.6/6.2	3.0	2.32	0.40	0.8791	0.5736
10.6/6.2	2.115	2.95	0.21	0.7864	0.2477
10.6/8.2	4.4	2.74	0.40	0.7148	0.4805
10.6/8.2	3.0	3.14	0.25	0.6668	0.3935
10.6/8.2	5.5	3.02	0.40	0.5291	0.1838
4.9/3.8	0.5	2.40	0.09	0.6979	0.4515

Experimental Details

- Hall C: $k_e=3.8, 4.9, 6.4, 8.5, 10.6$ GeV
- SHMS for kaon detection :
 - Kaon angles between 6 – 30 deg
 - Kaon momenta between 2.7 – 6.8 GeV/c
- HMS for electron detection :
 - angles between 10.7 – 31.7 deg
 - momenta between 0.86 – 5.1 GeV/c
- Particle identification:
 - Dedicated Aerogel Cherenkov detector for kaon/proton separation
 - Four refractive indices to cover the dynamic range required by experiments
 - Heavy gas Cherenkov detector for kaon/pion separation



n	π thr (GeV/c)	Kthr (GeV/c)	Pthr (GeV/c)
1.030	0.57	2.00	3.80
1.020	0.67	2.46	4.67
1.015	0.81	2.84	5.40
1.011	0.94	3.32	6.31

SHMS small angle operation

- Some issues with opening and small angle settings at beginning of run, but SHMS at 6.01° and HMS at 12.7° on 12/17/18



Work of many people...



KaonLT Event Selection

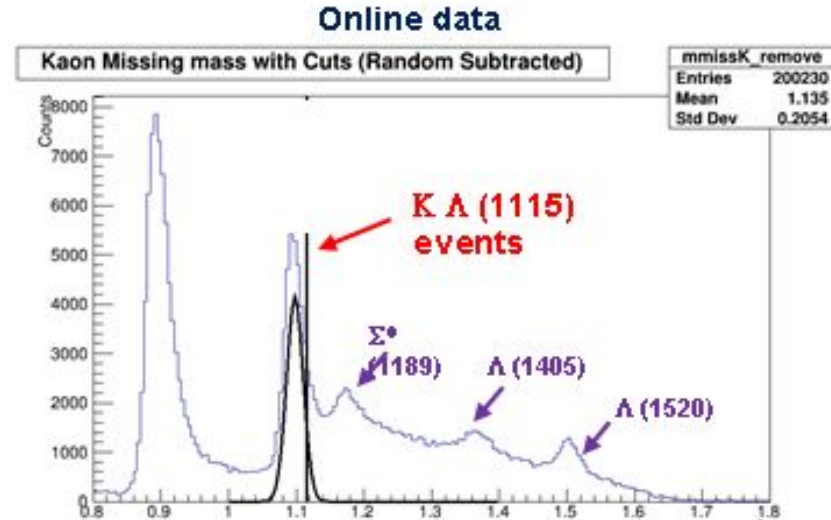
- Isolate Exclusive Final States through missing mass

$$M_X = \sqrt{(E_{det} - E_{init})^2 - (p_{det} - p_{init})^2}$$

- Coincidence measurement between kaons in SHMS and electrons in HMS
 - simultaneous studies of $K\Lambda$ and $K\Sigma^0$ channels...and a few others...
- Kaon pole dominance tests through

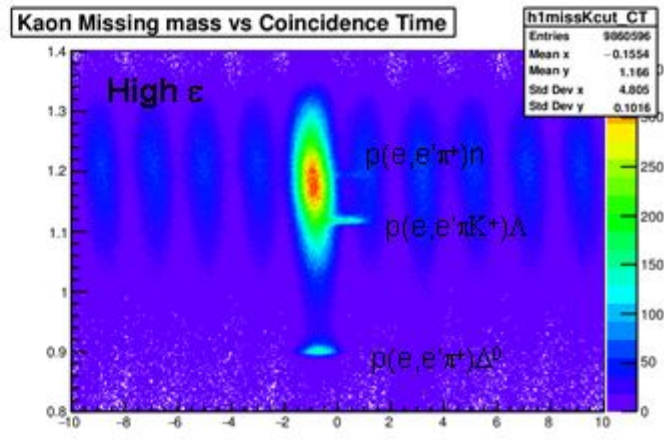
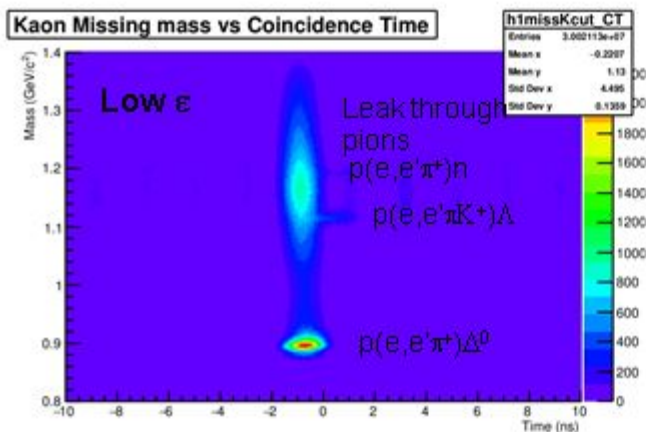
$$\frac{\sigma_L(\gamma^* p \rightarrow K^+ \Sigma^0)}{\sigma_L(\gamma^* p \rightarrow K^+ \Lambda)}$$

- Should be similar to ratio of coupling constants $g_{pK\Lambda}^2 / g_{pK\Sigma}^2$ if t-channel



Interesting Physics in the other channels

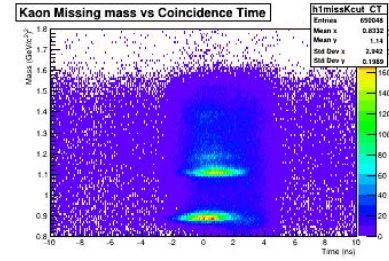
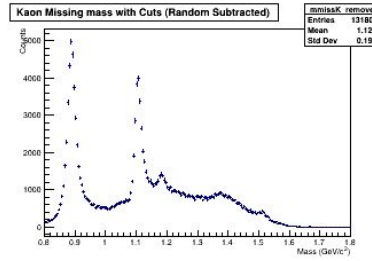
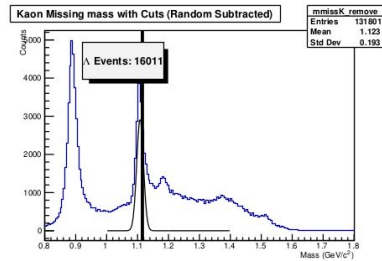
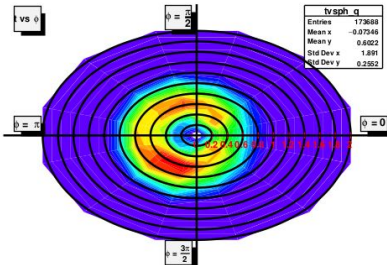
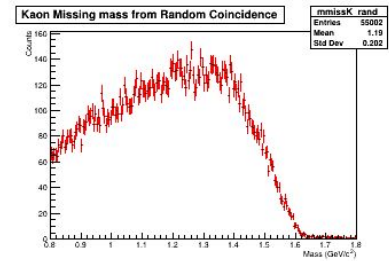
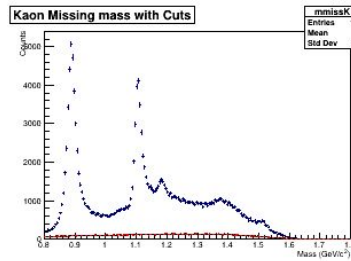
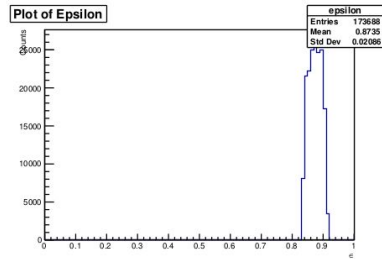
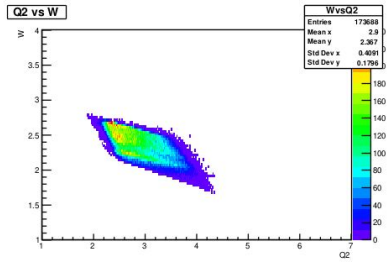
- Large difference in L/T ratio between $p(e,e'\pi^+)n$ and $p(e,e'\pi^+)\Delta^0$ final states – G. Huber hclong #3640187



- Large increase in neutron missing mass at high epsilon is evidence of the pion-pole process at low Q^2 and small $-t$, which suggests $\sigma_L \gg \sigma_T$
- Δ^0 exclusive longitudinal cross section expected to be at best $\sigma_L \sim \sigma_T$

Fall run specifics and online plots

- Physics Settings
- Online plots



December run specifics and online plots

- Physics Settings
- Online plots

Spring run specifics and online plots

- Physics Settings
- Online plots

Analysis Phases

1. Calibrations

- Calorimeter, aerogel, HC cer, HMS cer, DC, Quartz plan of hodo
- Assure we are replaying to optimize our physics settings

2. Efficiencies and offsets

- Luminosity and elastics

3. First iteration of cross section

- Bring everything together

4. Fine tune

- Fine tune values to minimize systematics

5. Repeat previous step

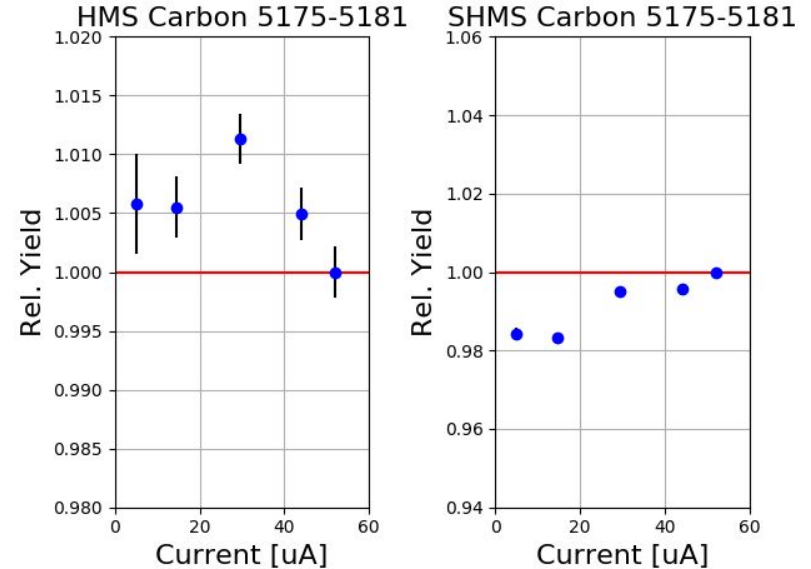
- Repeat until acceptable cross sections are reached

6. Possible attempt at form factor extraction

- Fit the data to a model and iterate

Current Phase

- Understanding efficiencies from luminosity scans has been ongoing with only one run having been looked at
- In the process of calibrations
- Once calibrations are complete, I will concentrate on elastics studies along with continued studied of luminosity
- Should finish phase one by middle of summer



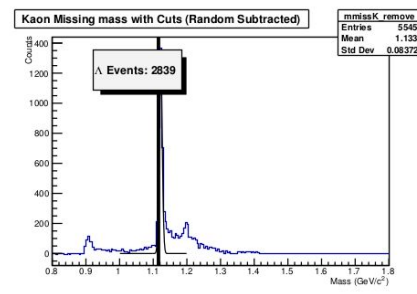
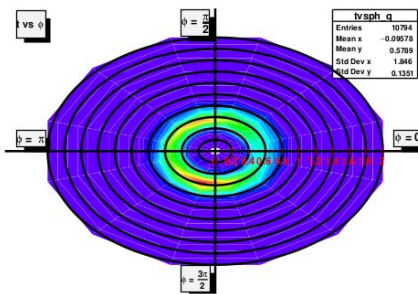
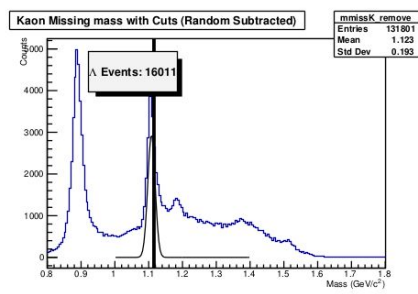
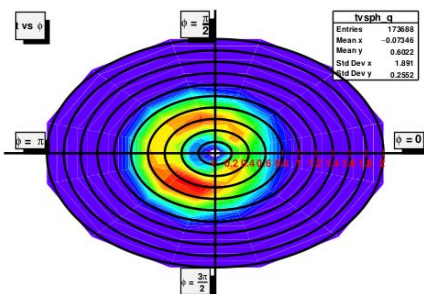
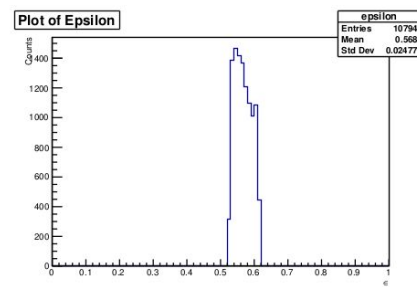
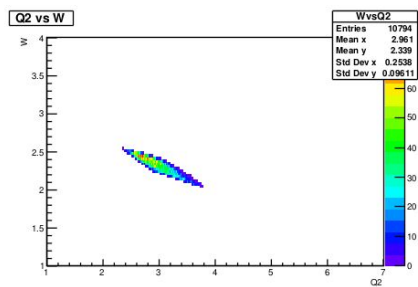
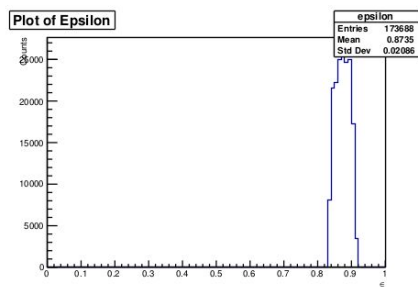
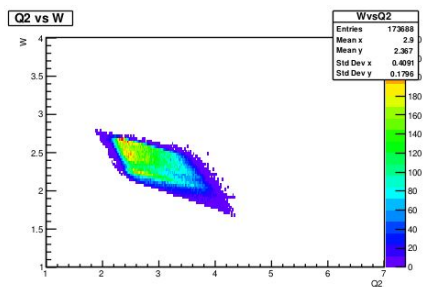
Conclusion

- Kaon can provide an interesting way to expand previous data of charged pion form factor data with access to the production mechanism involving strangeness
- E12-09-011 has completed its 2018-19 run
- Potential to extract the Kaon form factor from the L/T separated cross sections to the highest Q^2 achievable at Jlab
 - Full azimuthal coverage, good phase space matching and favorable rates to allow Kaon cross section separation
- Provide much needed data for Q^2 scaling at fixed x and $-t$ in Kaon electroproduction to validate QCD factorization for hadron imaging studies
- Currently in the first phase of analysis with hopes of finishing by the middle of this summer

Extra Slides

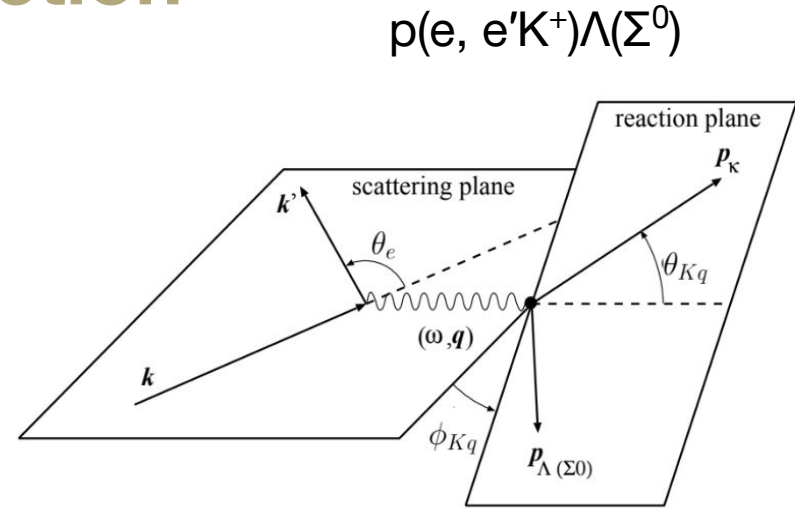
Comparison of high and low epsilon

10.6 GeV (high ϵ)



Separating the Cross Section

- It is crucial that full azimuthal coverage is achieved to allow further simplification using the Rosenbluth separation technique.
 - Rosenbluth separation involves measuring the terms over full 2π azimuthal coverage and **integrating over the experimental acceptance** to eliminate any interference terms.



$$2\pi \frac{d^2\sigma}{dt d\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos \phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$